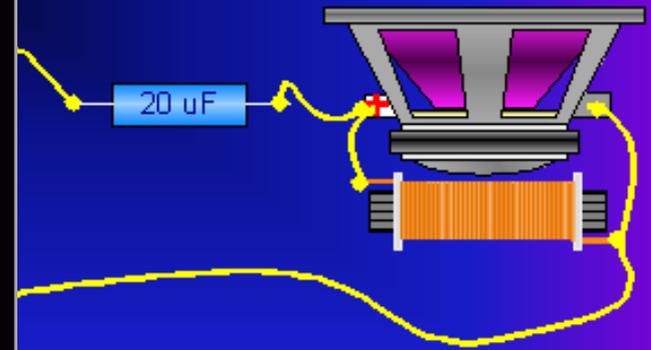
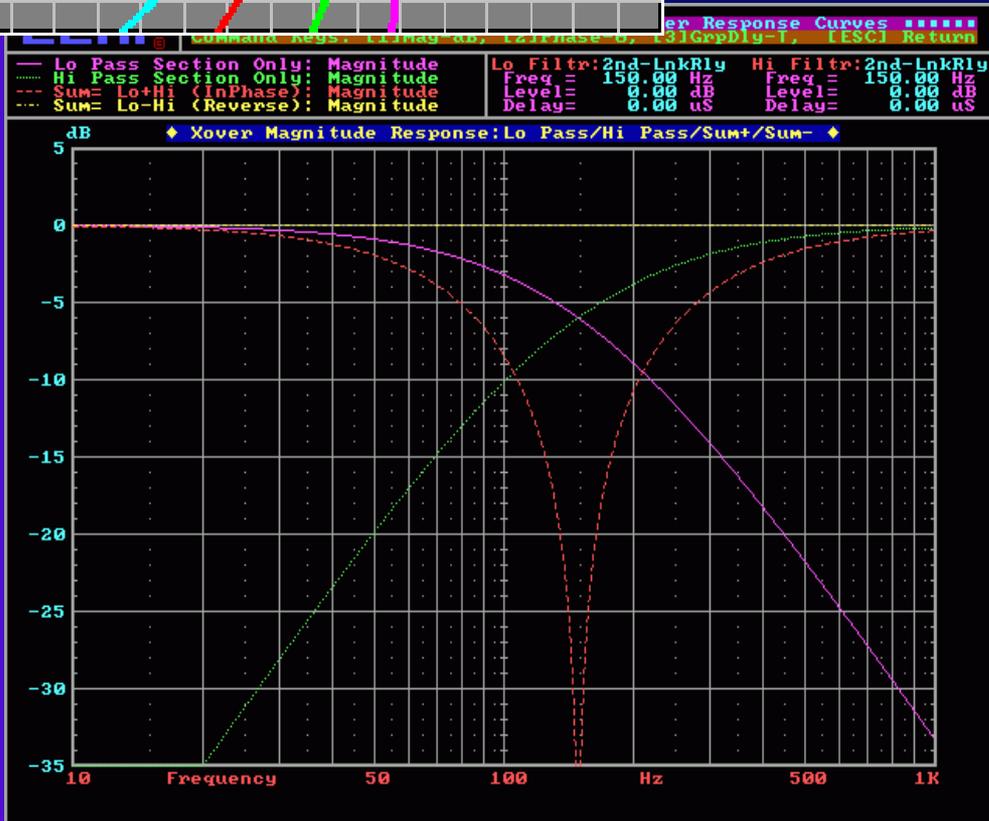


filtros de cruce

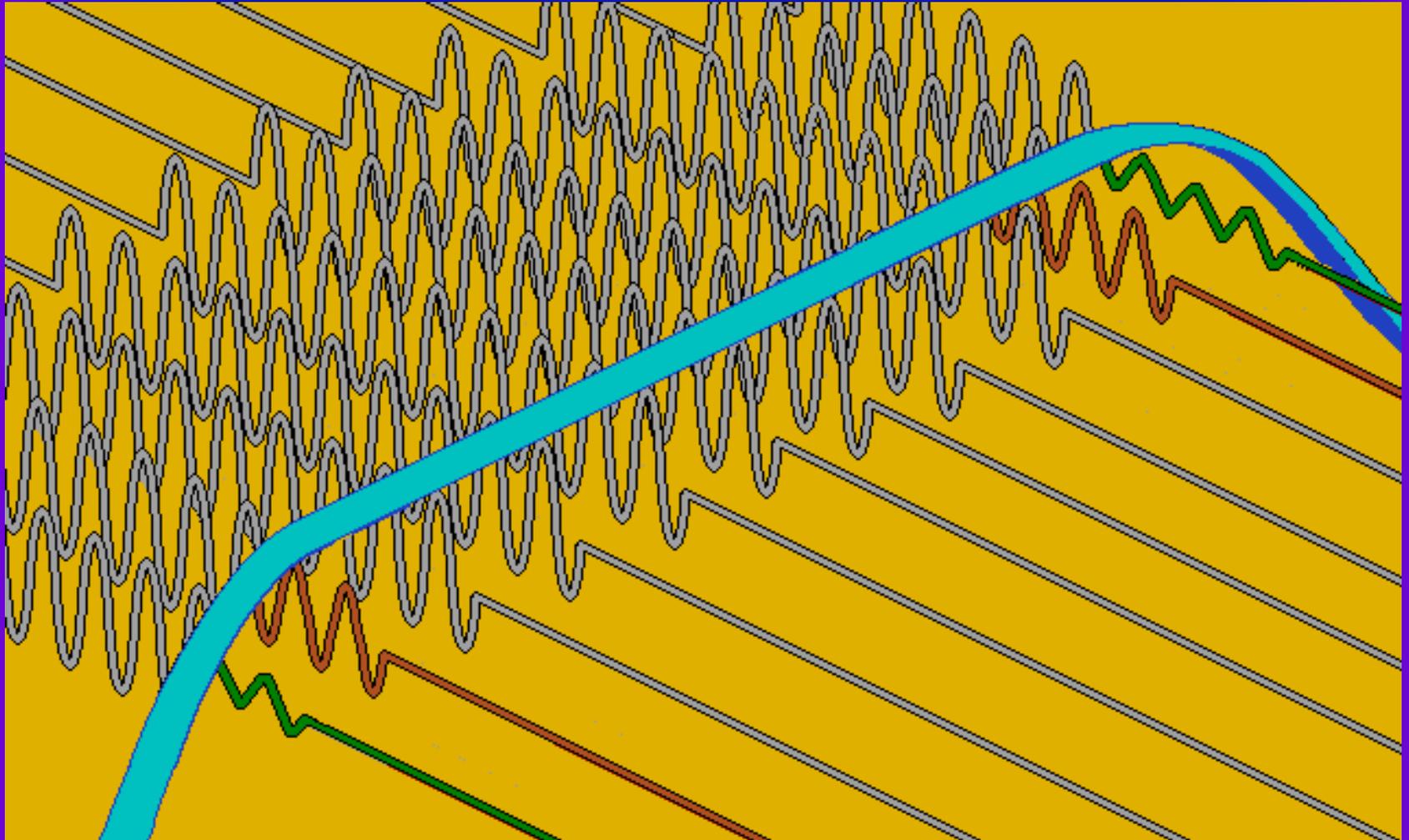
Xullo Xermade



¿cal é a función do filtro?

**Distribuir o
sinal según as
frecuencias**

¿qué fan os filtros:

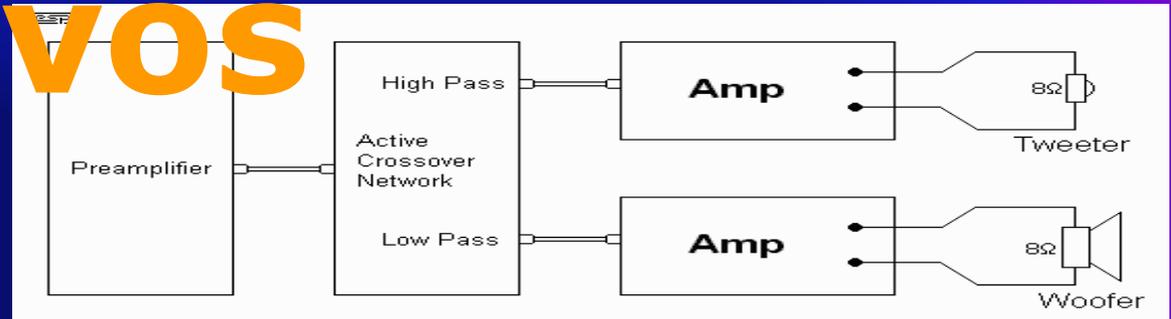


características dun filtro?

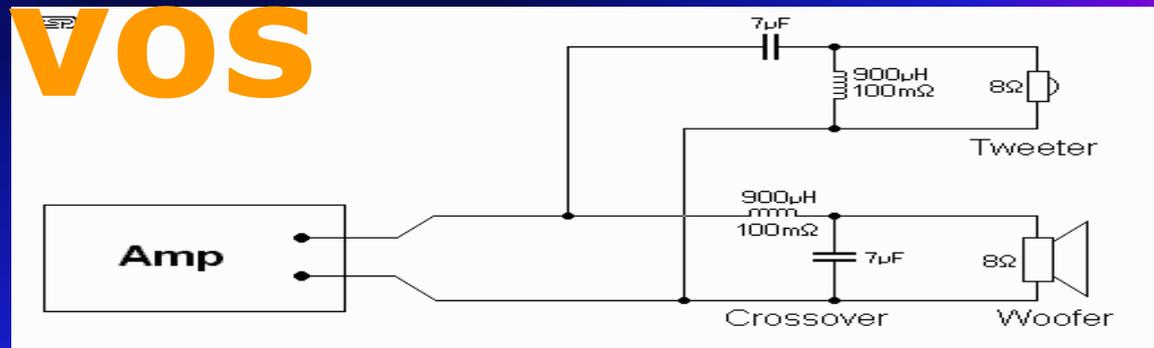
- * **Nº de vias**
- * **Frecuencia de corte**
- * **Impedancia de carga**
- * **Atenuación da célula**
- * **Fase da saída**

familias de filtros:

* activos



* pasivos



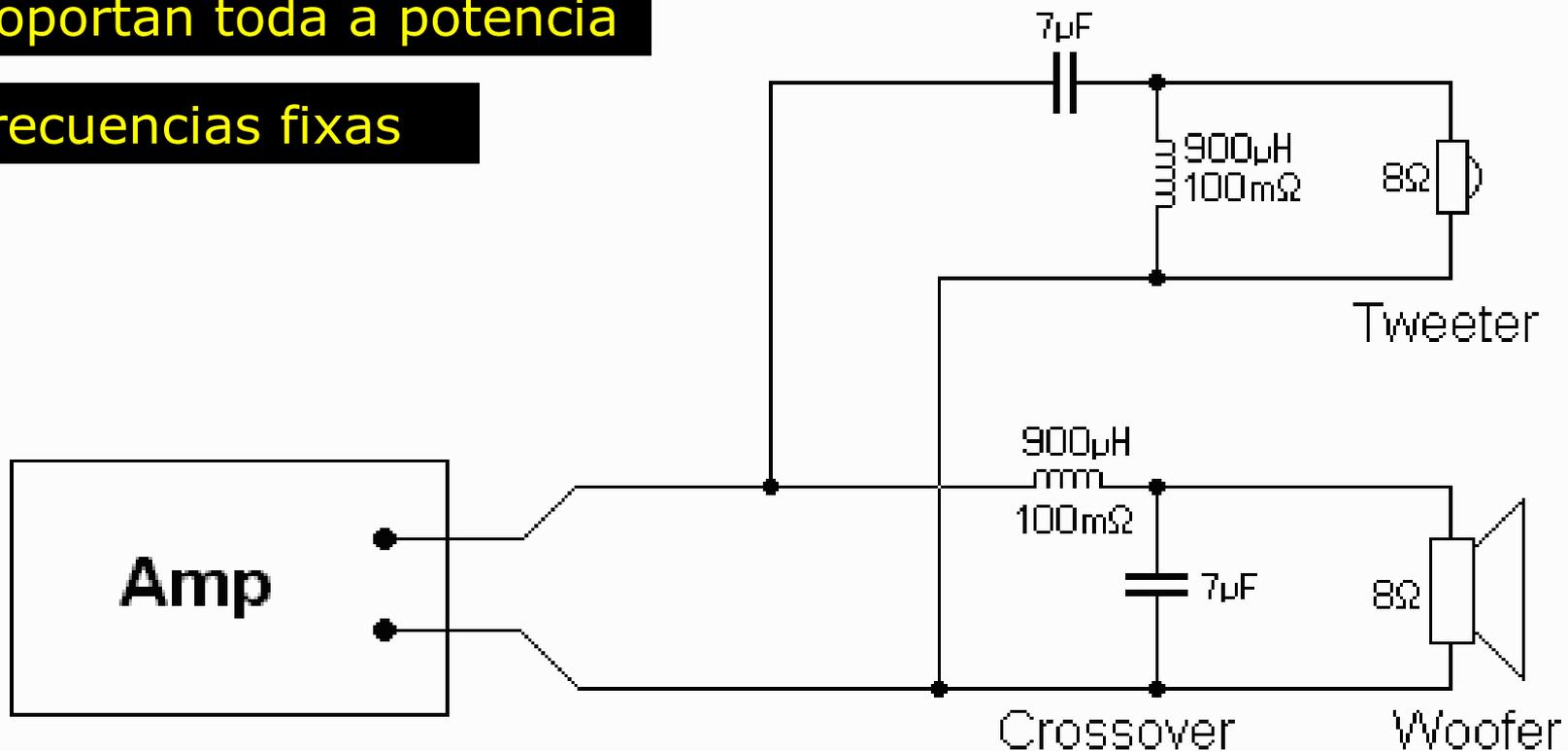
filtros pasivos:

utilizan componentes pasivos

non amplifican

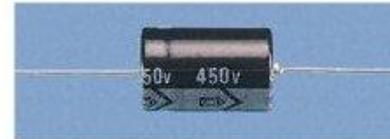
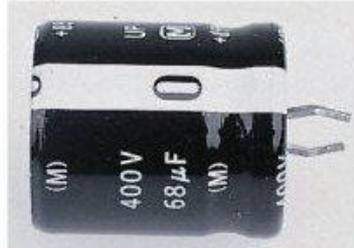
soportan toda a potencia

frecuencias fixas

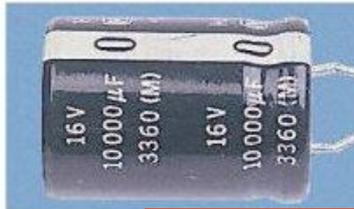


compoñentes pasivos:

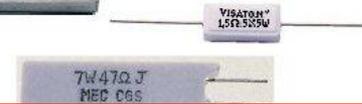
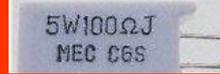
Condensateurs chimiques (radial et axiaux)



Condensateur chimique axial



Les résistances de puissance (céramique)



résistances non inductive

Selfs induction à air



Conde



Ventajas e inconvenientes, pasivos:

- Filtros pasivos

- No usan amplificadores

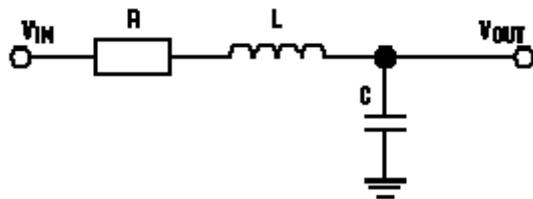
- Bajo ruido
 - No ganancia y mala adaptación de impedancias

- Fácil diseñar e implementar para 1 o 2 polos (sólo RC)

- Poca pendiente: la frecuencia a filtrar debe estar lejos de la banda de paso
 - No adecuados para baja frecuencia porque R y $C \uparrow \uparrow$

- Difícil diseñar e implementar para varios polos y RLC

- Se acercan a los ideales pero los componentes (L) son grandes y caros
 - Requieren ajustes en producción



$$H(s) = \frac{\omega_c^2}{s^2 + s\omega_c / Q + \omega_c^2} \quad \text{donde}$$
$$\omega_c^2 = \frac{1}{LC} \quad Q = \frac{\omega_c L}{R}$$

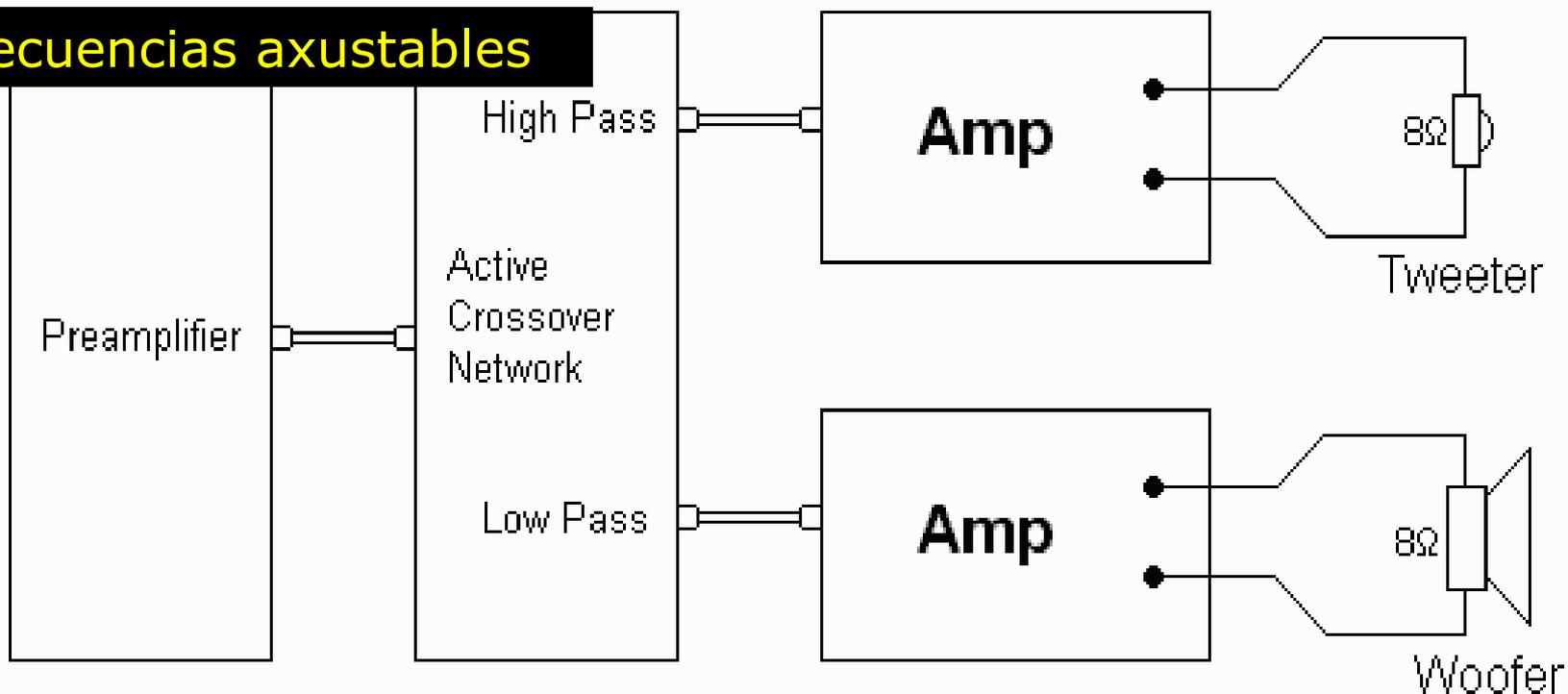
filtros activos:

utilizan componentes activos

pendientes ajustables

senal de línea

frecuencias ajustables



Ventajas e inconvenientes, activos:

- Filtros activos

- Usan amplificadores y RC, no L

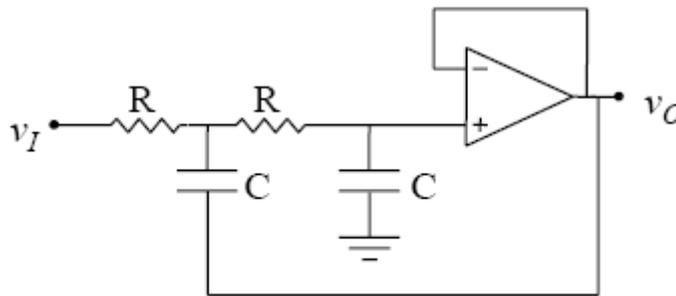
- Tienen ganancia y buena adaptación de impedancias

- Más ruido que los pasivos

- Fácil diseñar e implementar varios polos (etapas de 2 polos en cascada)

- Se consigue pendiente elevada

- Limitación en alta frecuencia por el AO

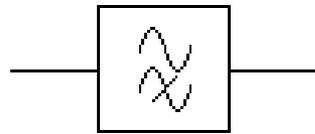


$$H(s) = \frac{1}{R^2 C^2 s^2 + 2RCs + 1}$$

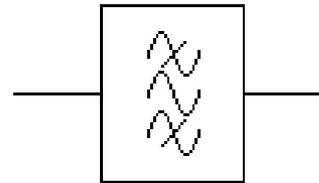
Simbología:



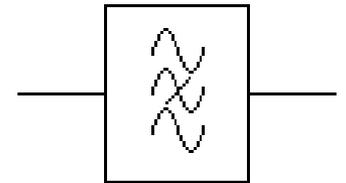
Pasa bajos



Pasa altos



Pasa banda



Elimina banda



Low
Pass



High
Pass

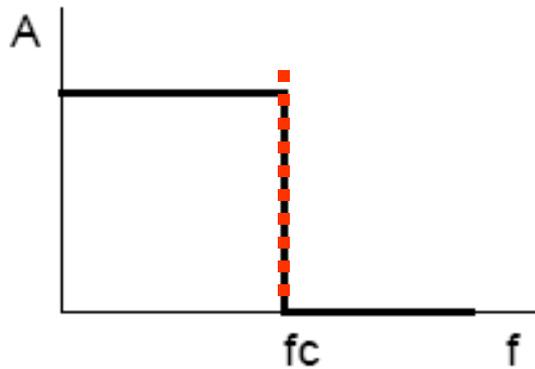


Band
Pass

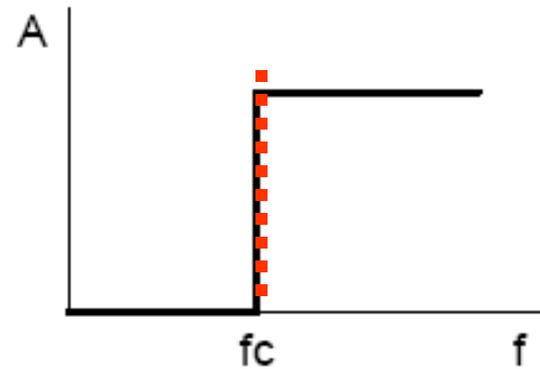


Band
Reject

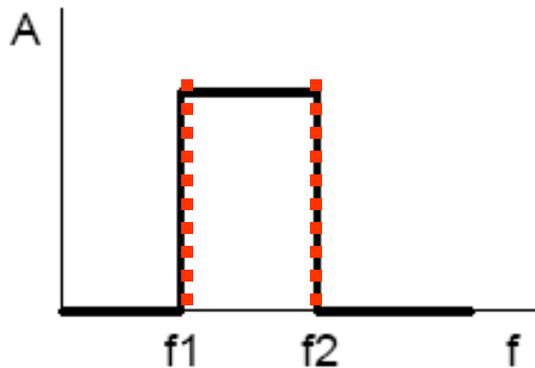
Frecuencia de corte:



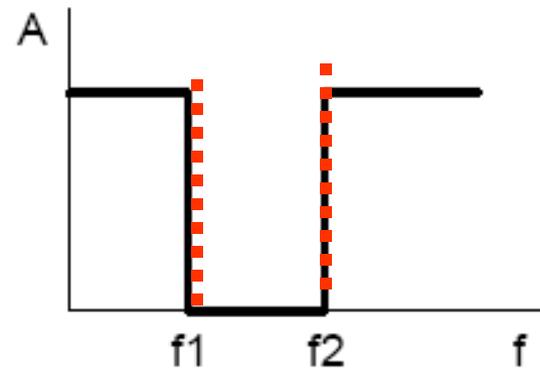
Filtro PASO BAJO (LP)



Filtro PASO ALTO (HP)

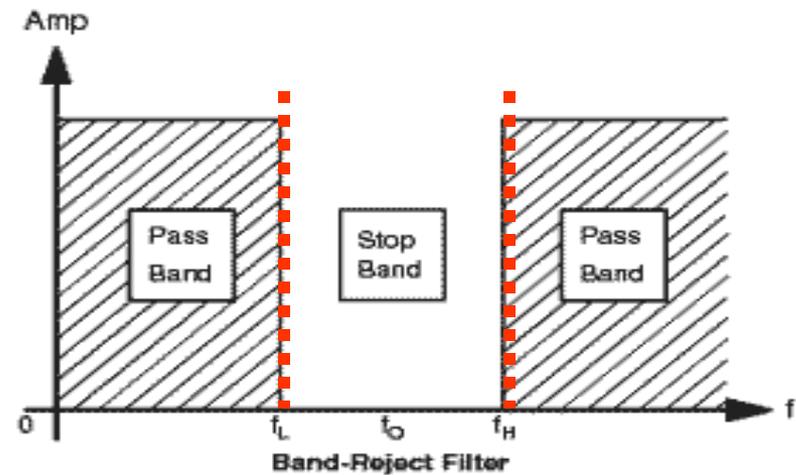
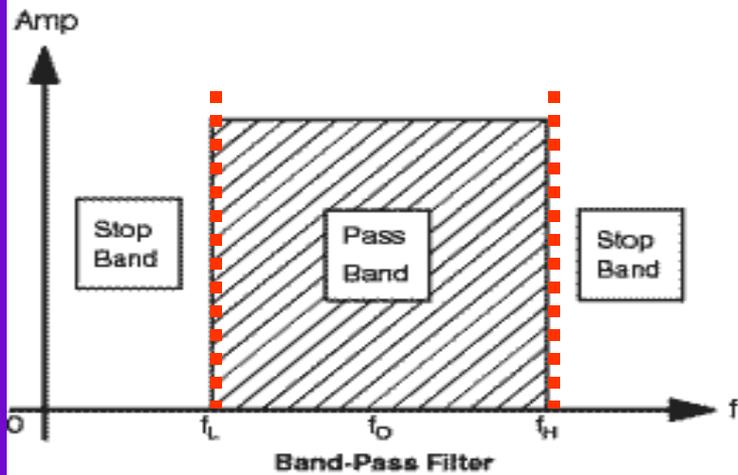
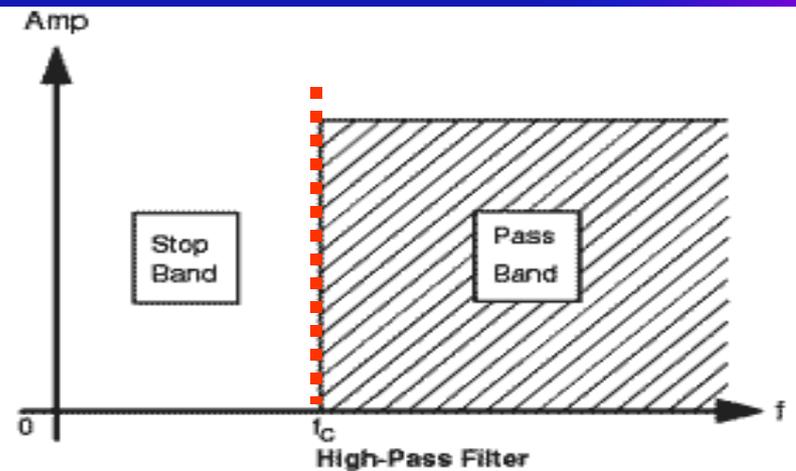
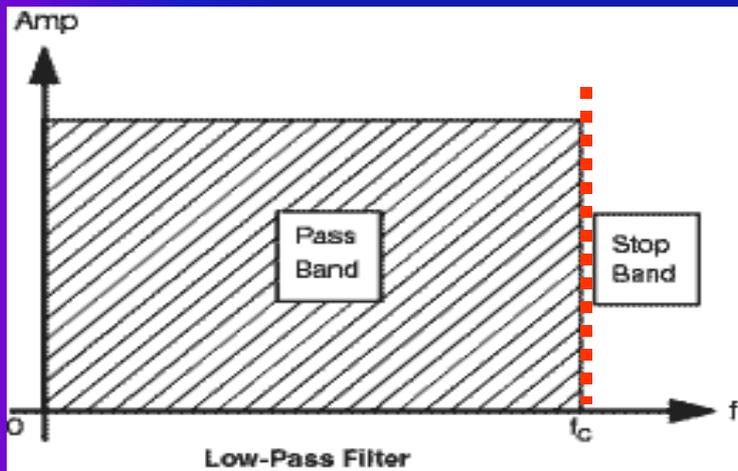


Filtro PASO BANDA (BP)

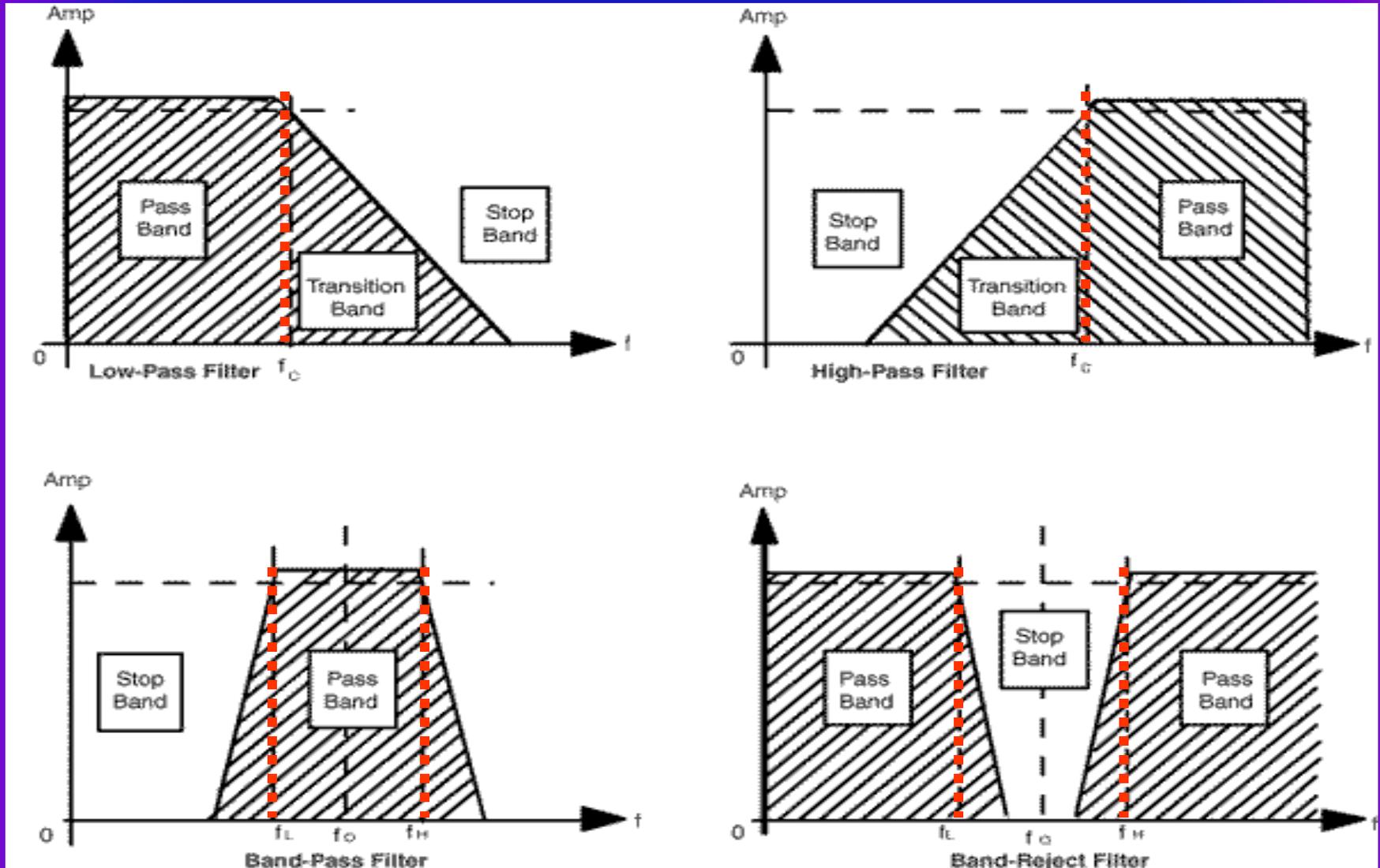


Filtro BANDA ATENUADA

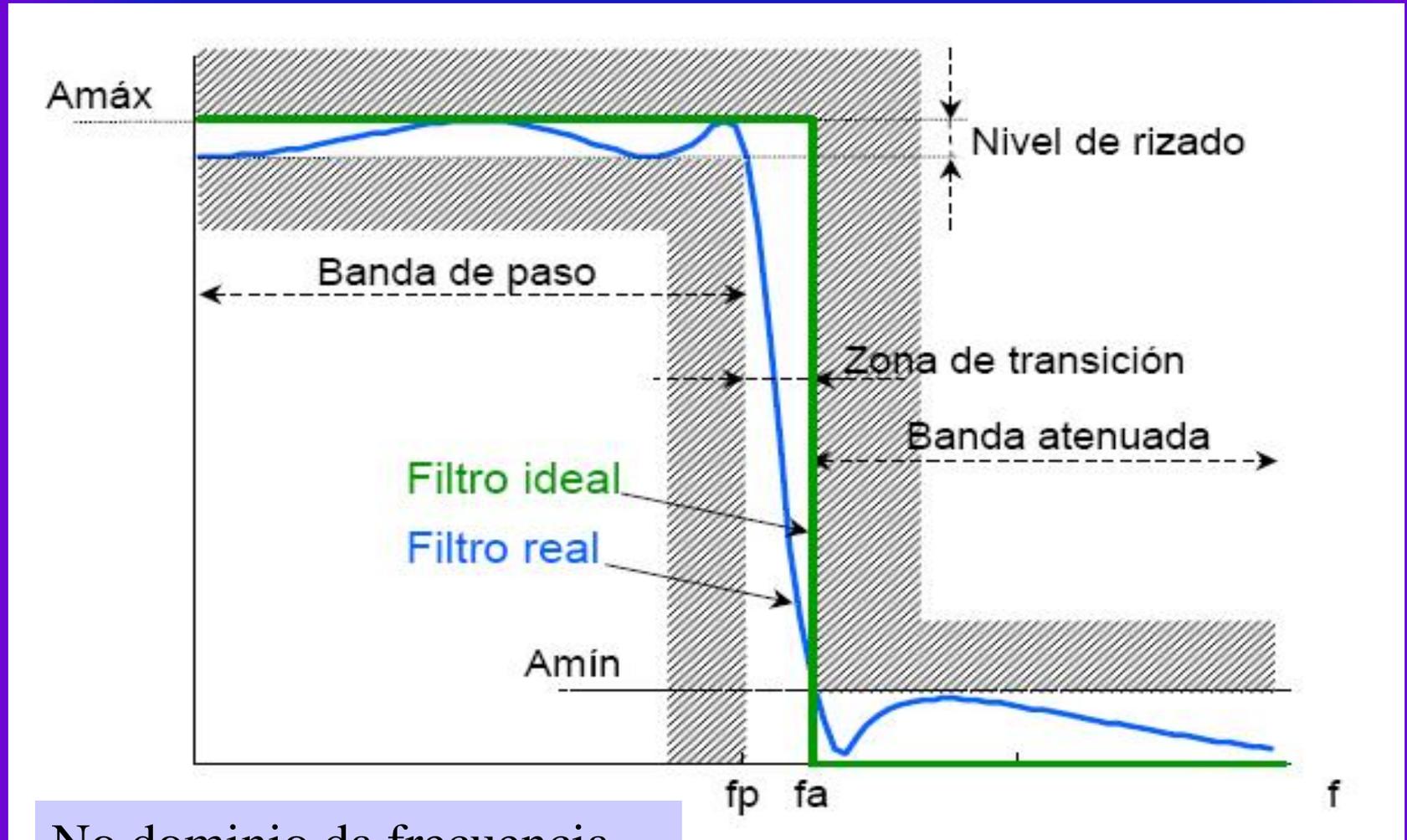
filtro ideal:



banda de transición:

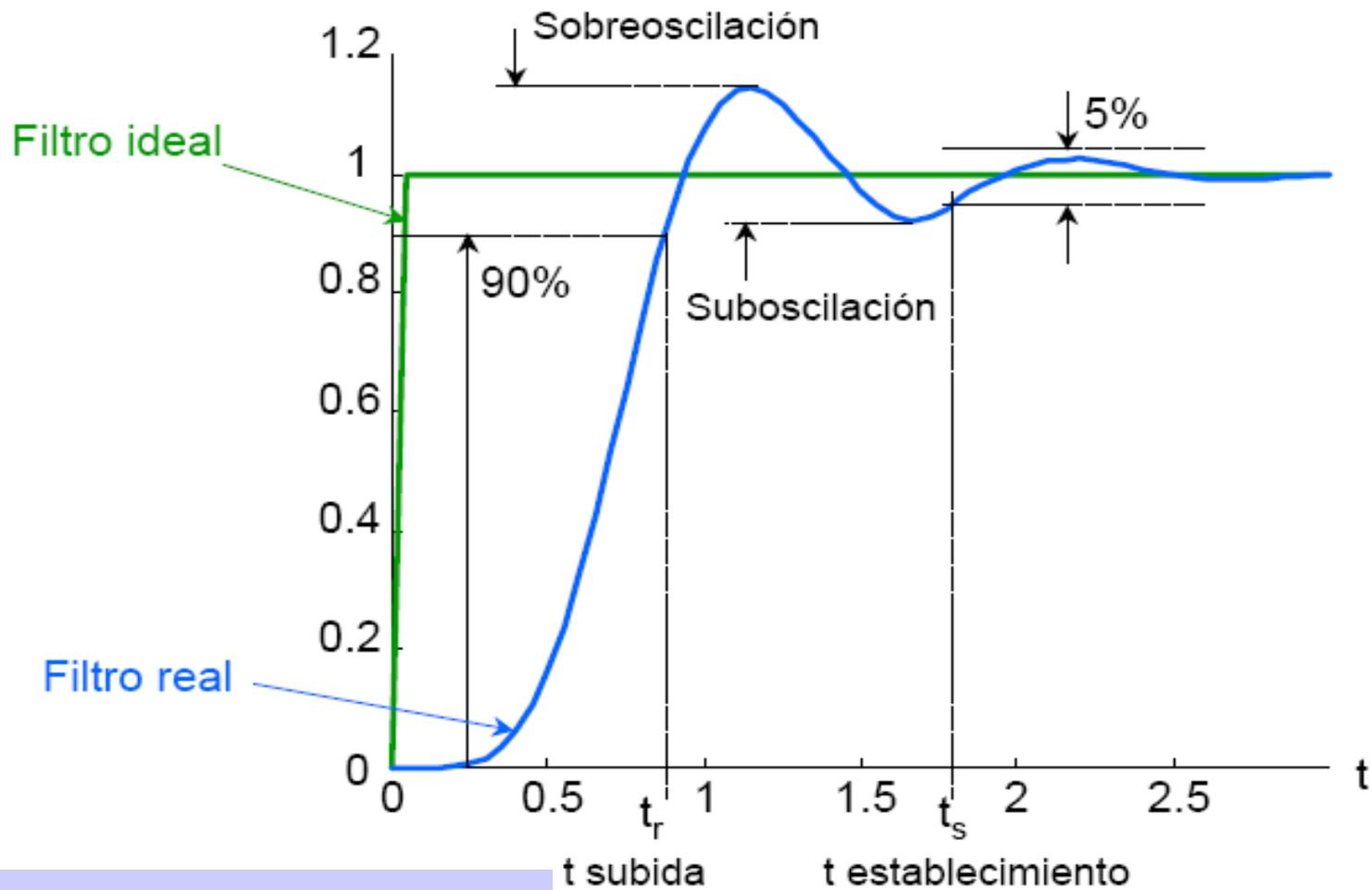


curva real (1):



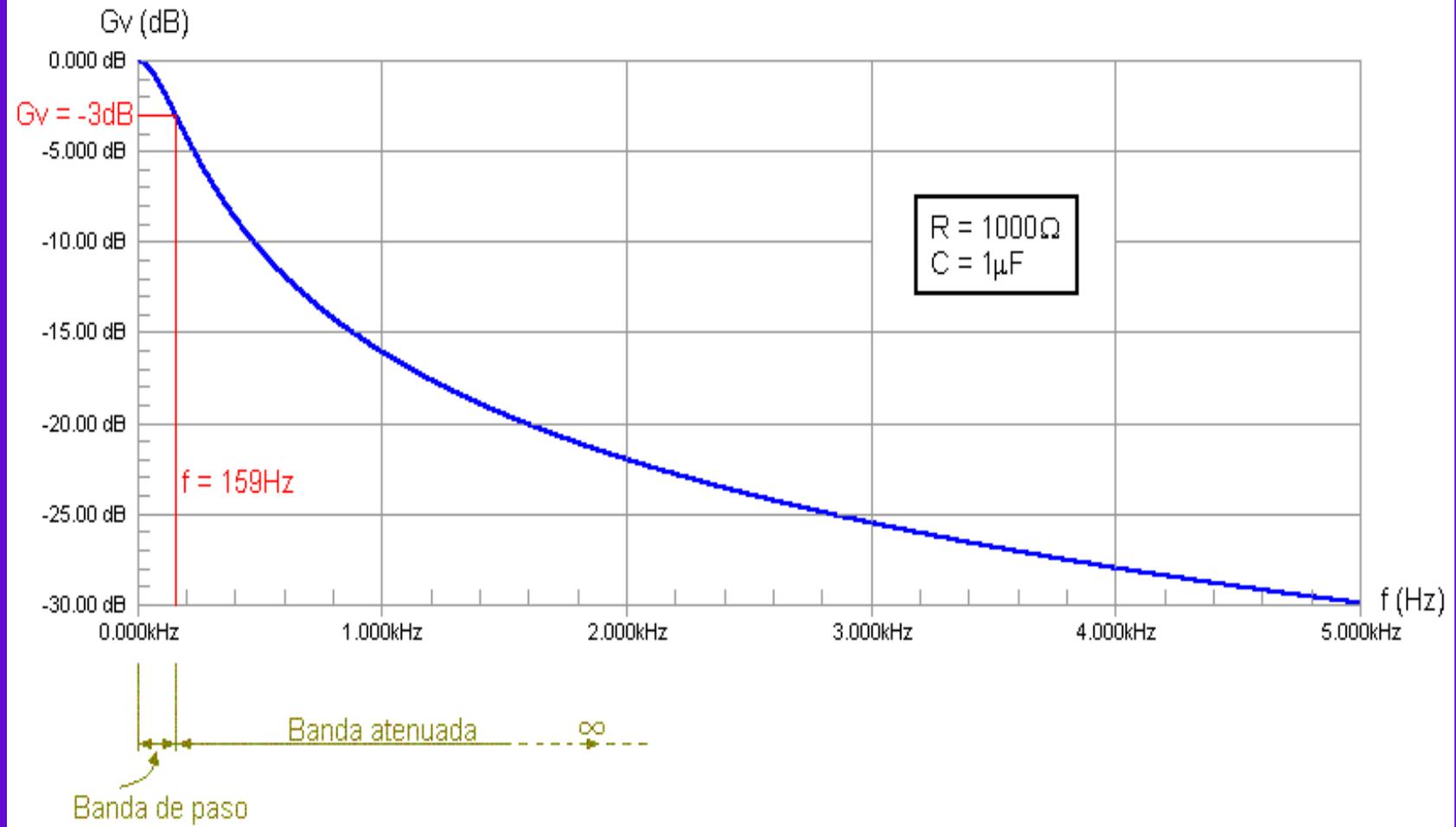
No dominio da frecuencia

curva real (2):

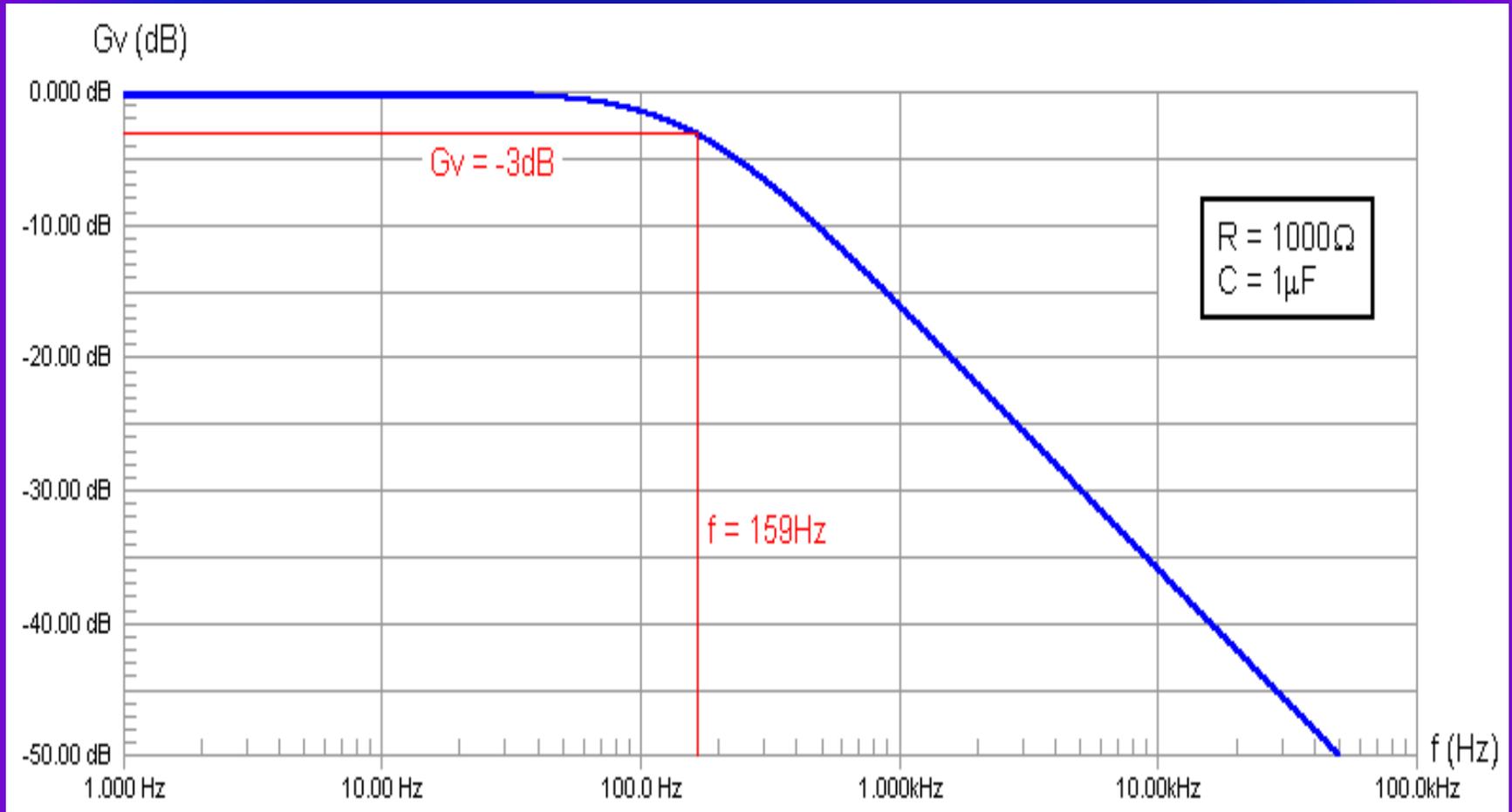


No dominio do tempo

Banda de paso (1):

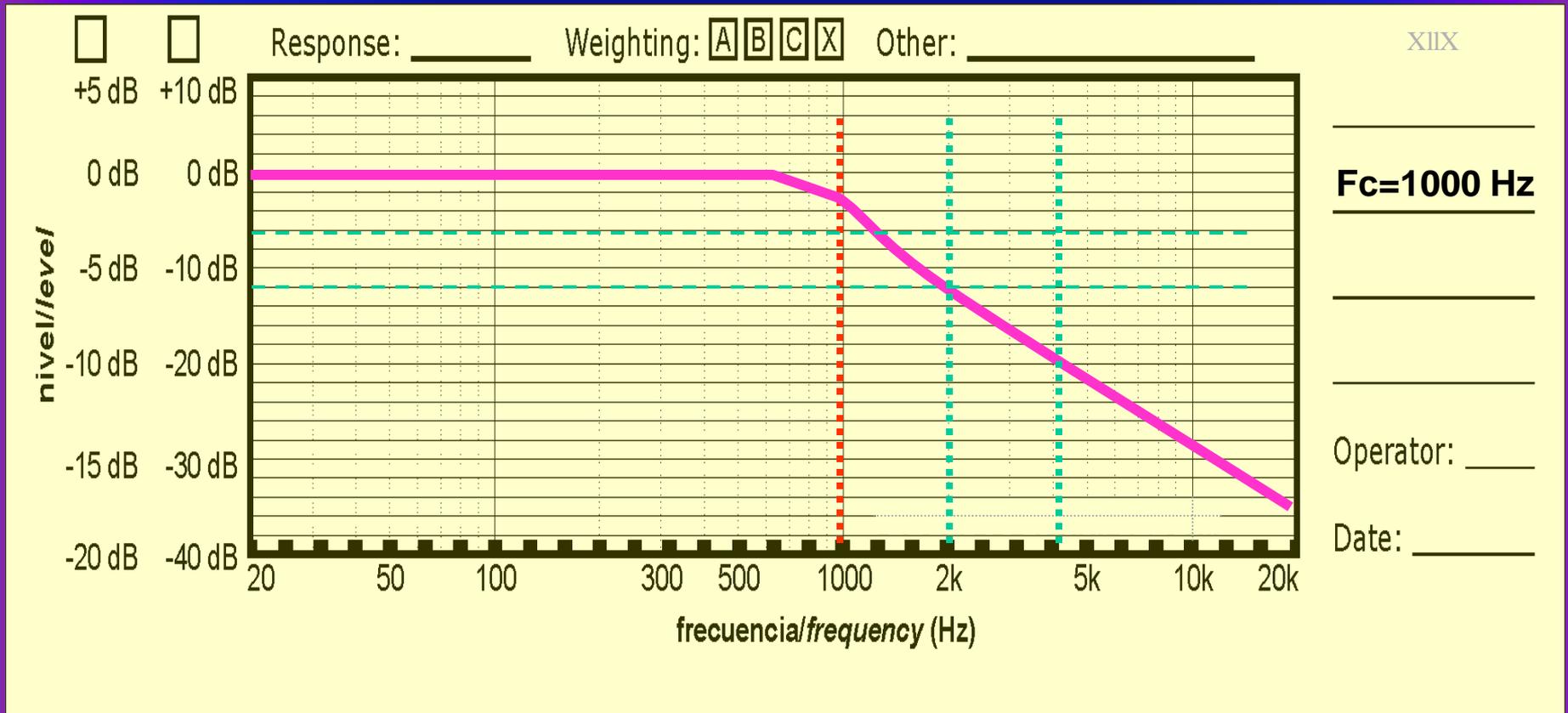


Banda de paso (2):



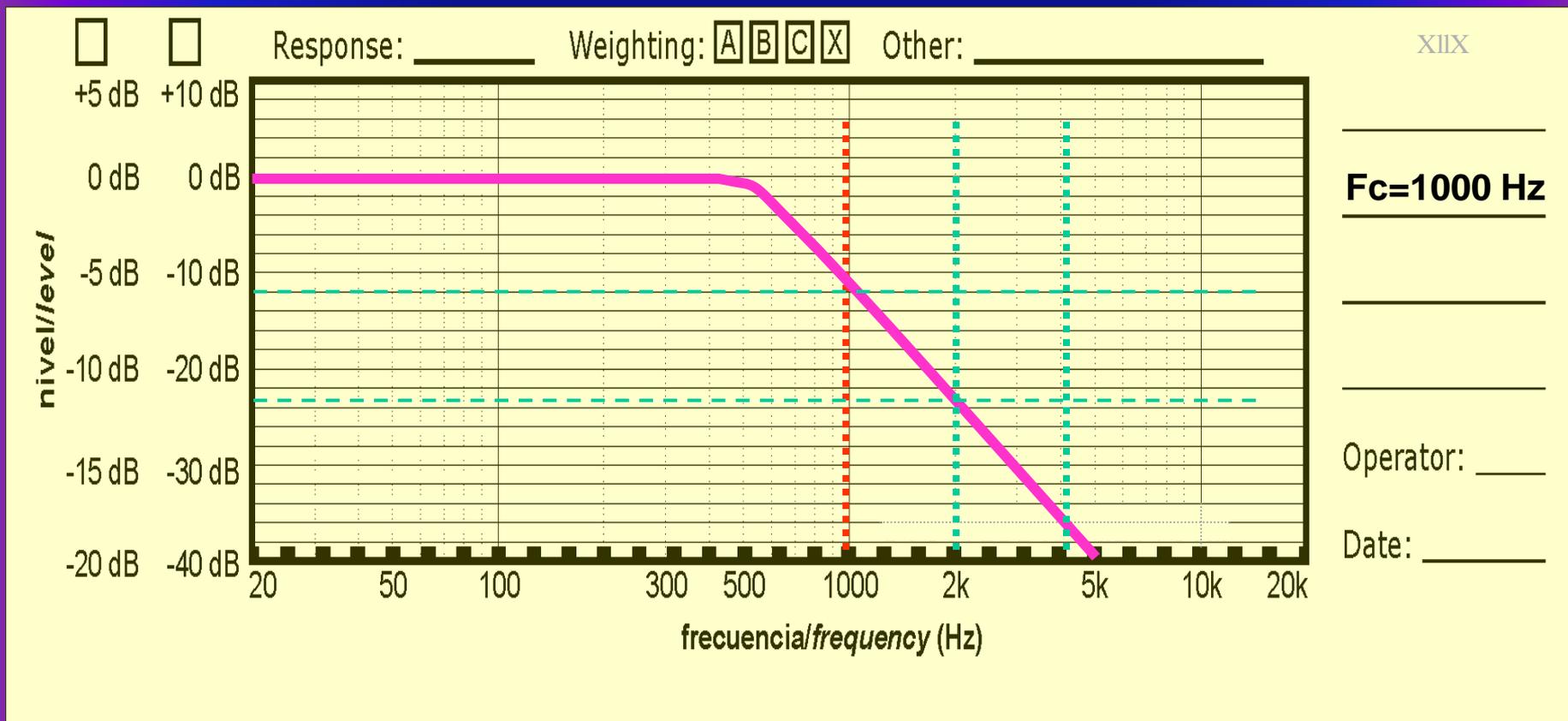
clases de ordenes:

1^o orden: -6 dB/octava



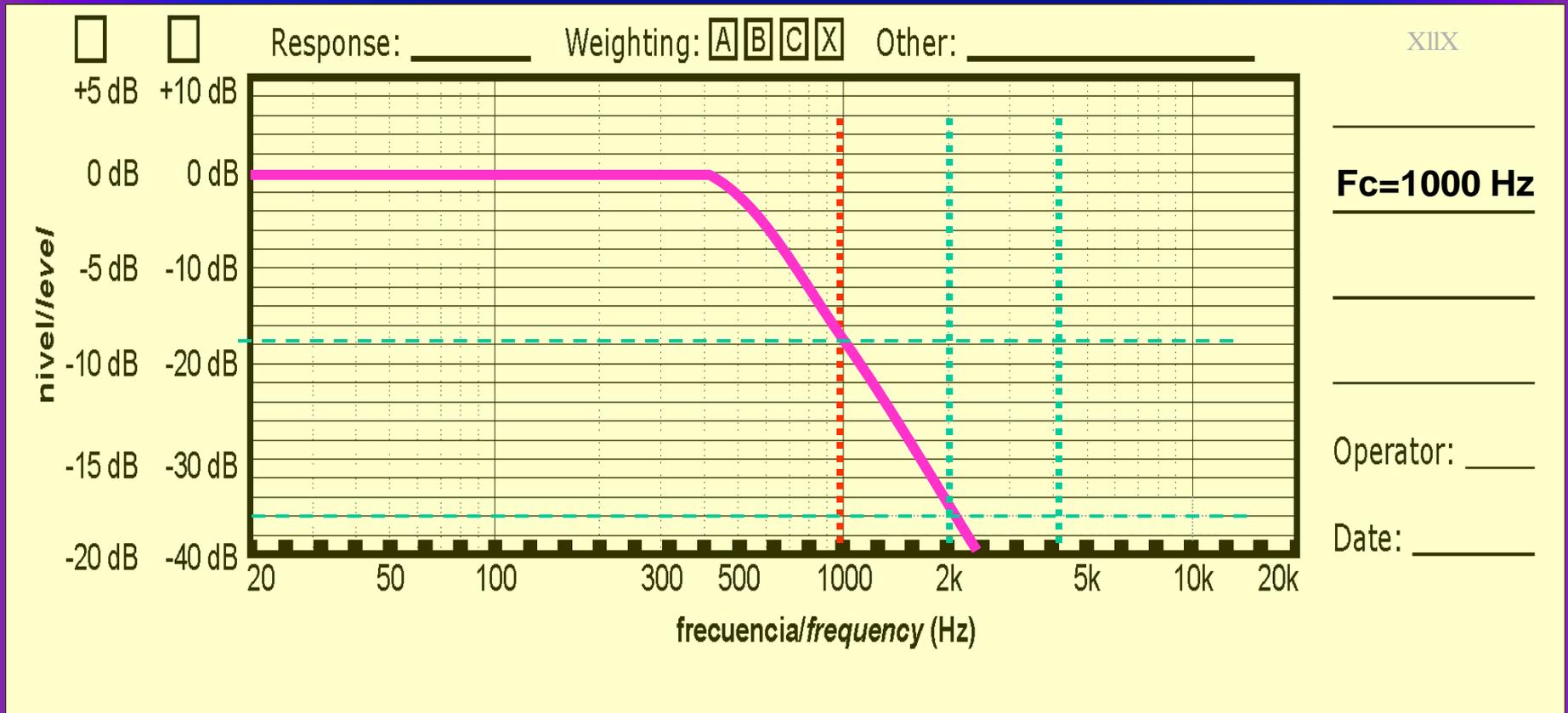
clases de ordenes:

2^o orden: -12 dB/octava



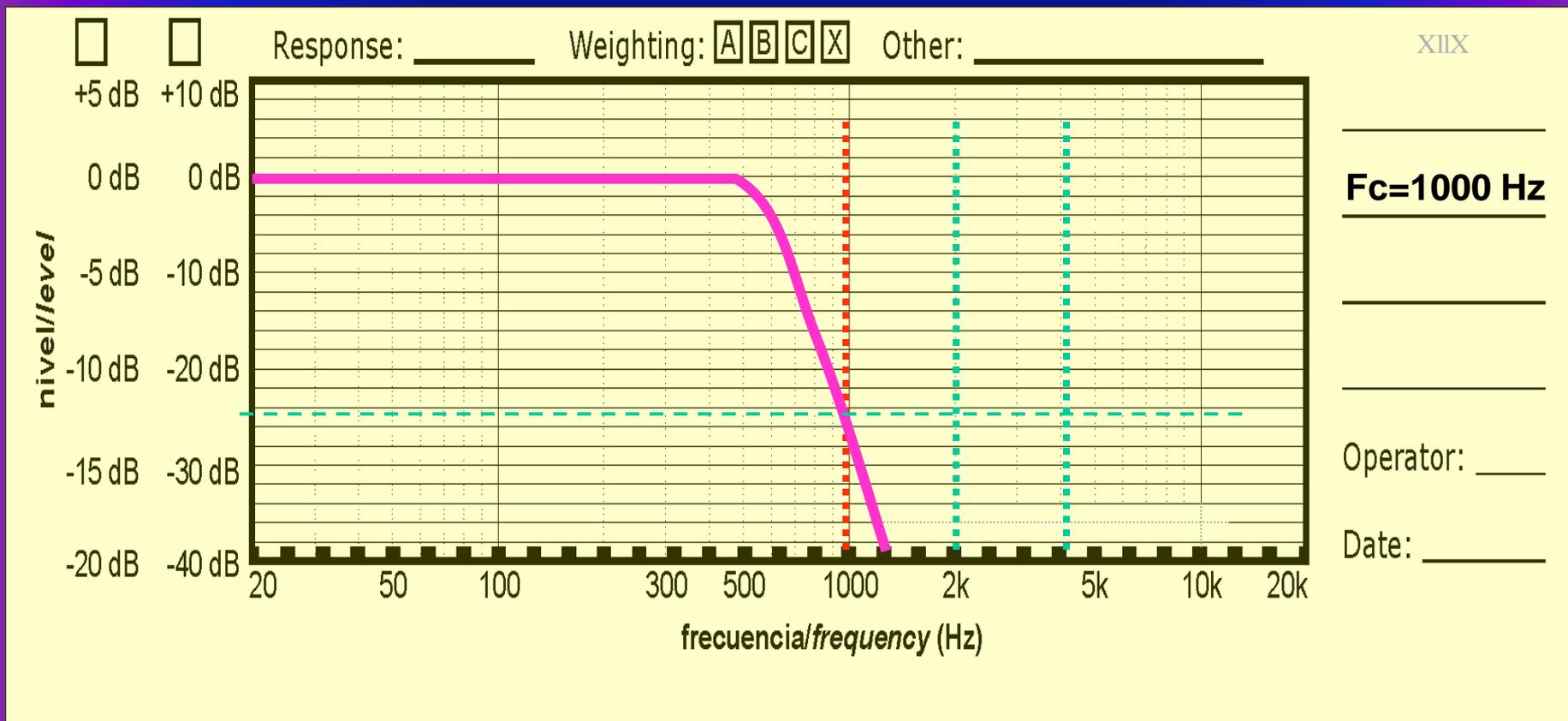
clases de ordenes:

3^o orden: -18 dB/octava

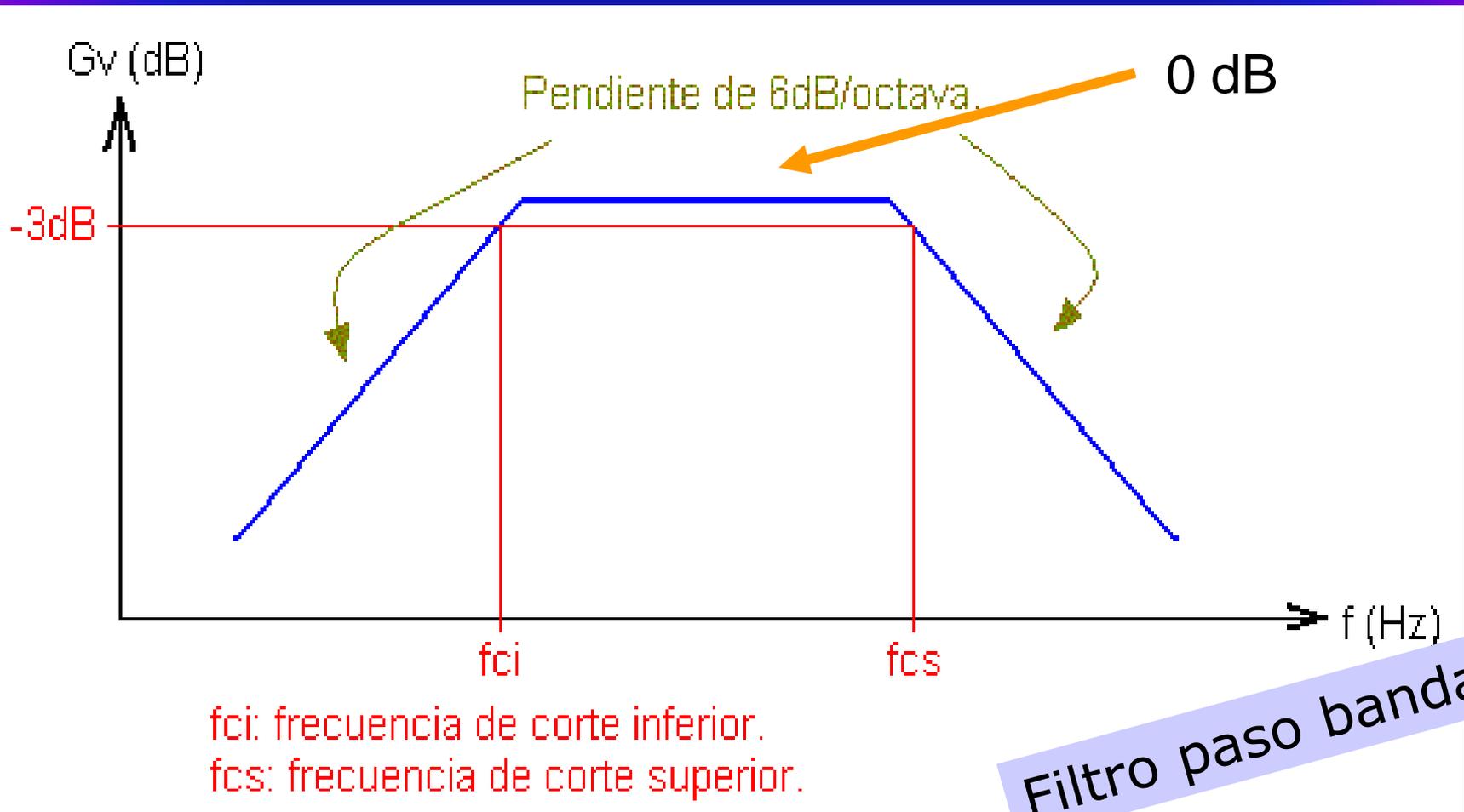


clases de ordenes:

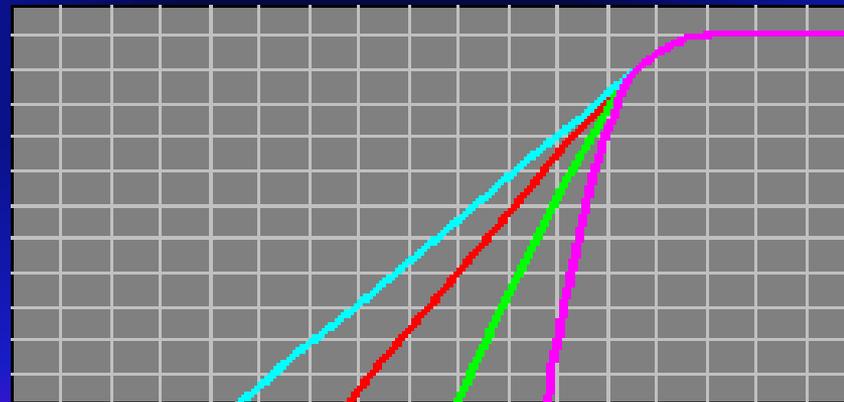
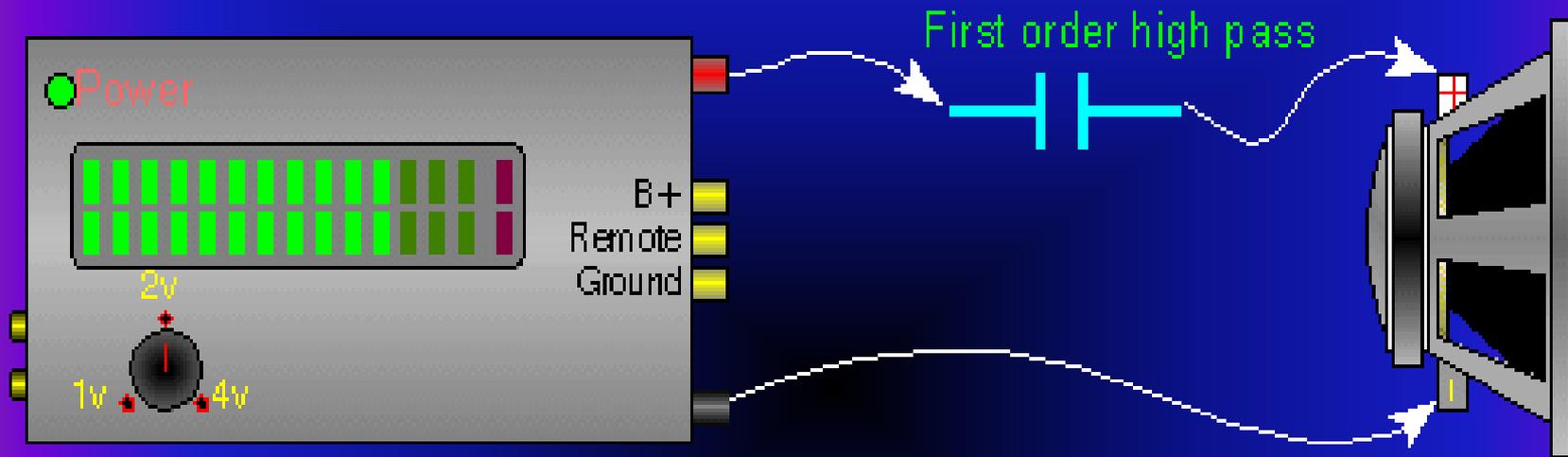
4^o orden: -24 dB/octava



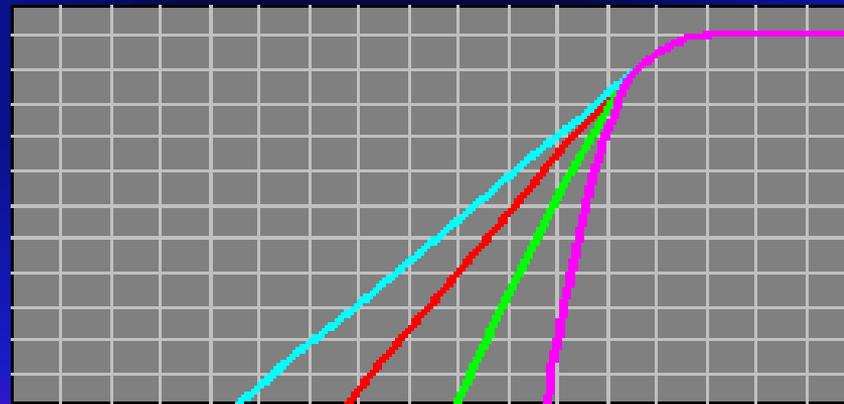
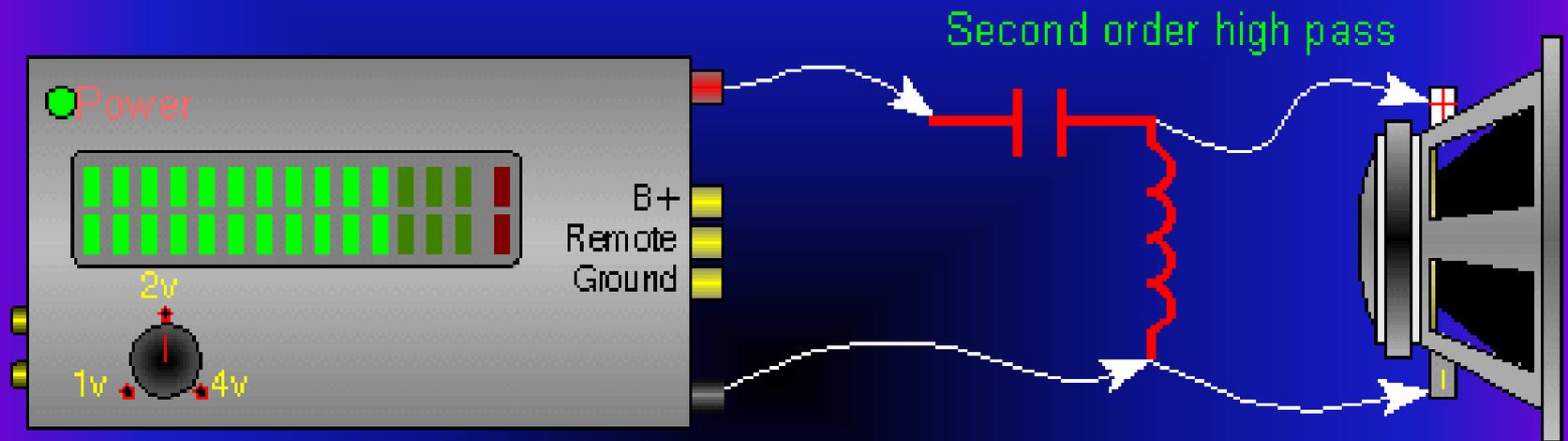
orden:



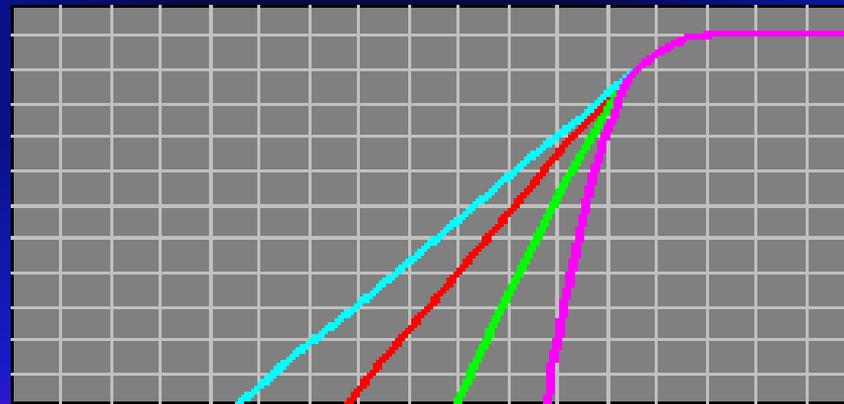
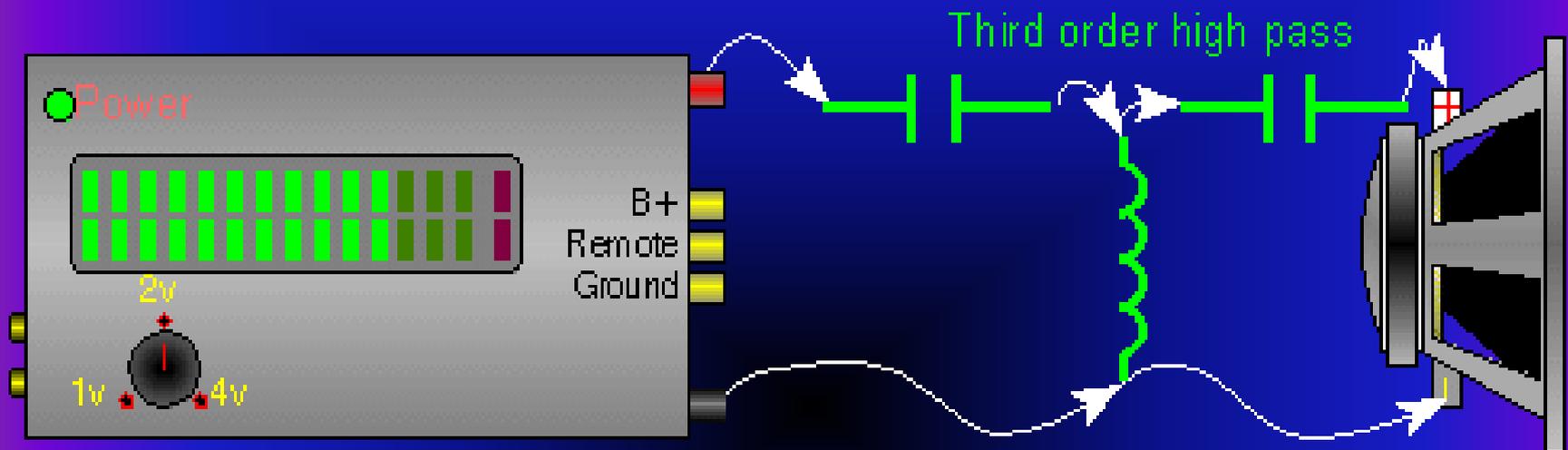
1^o orden – paso alto:



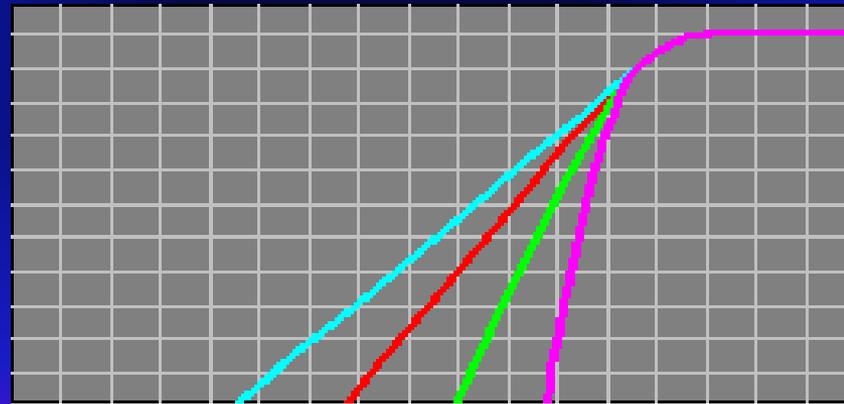
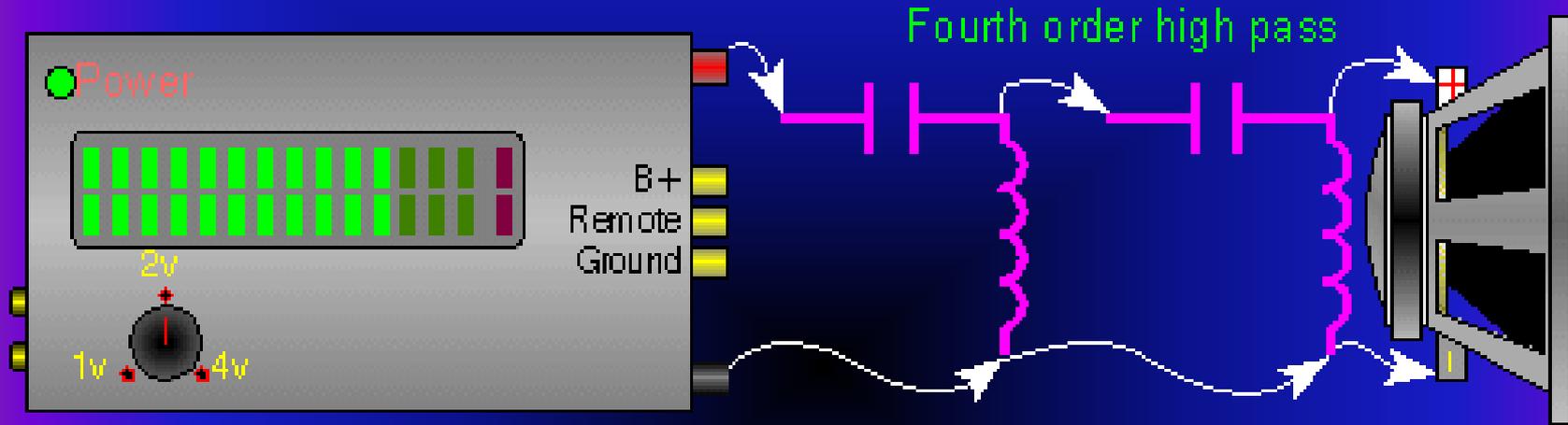
2° orden – paso alto:



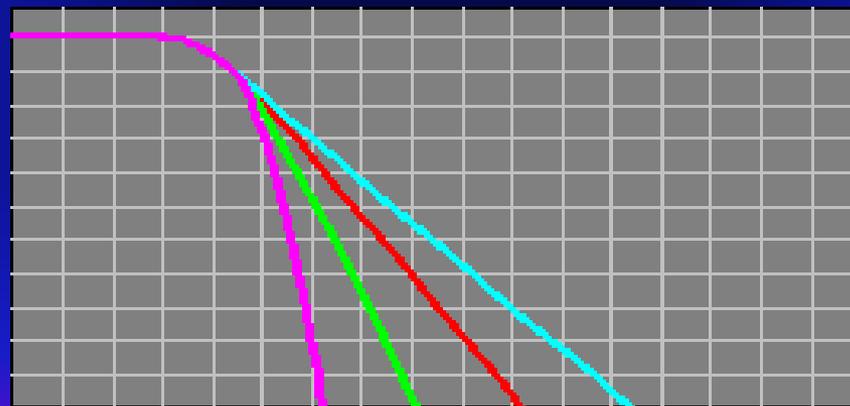
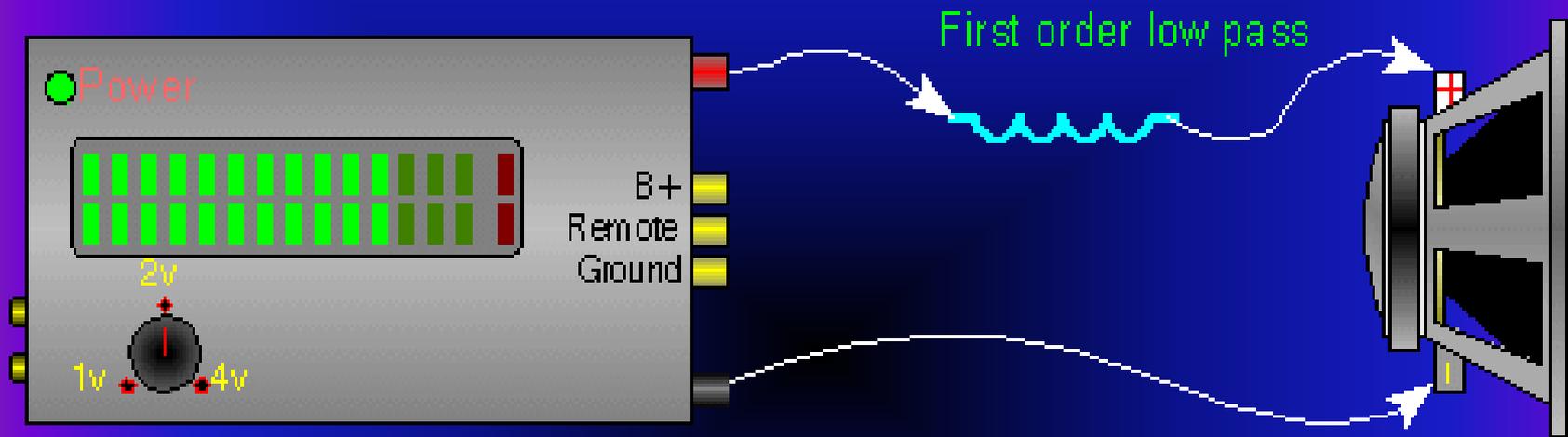
3º orden – paso alto:



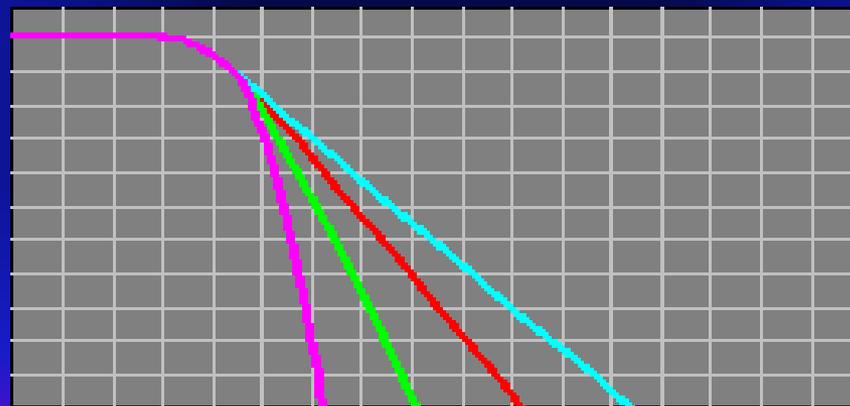
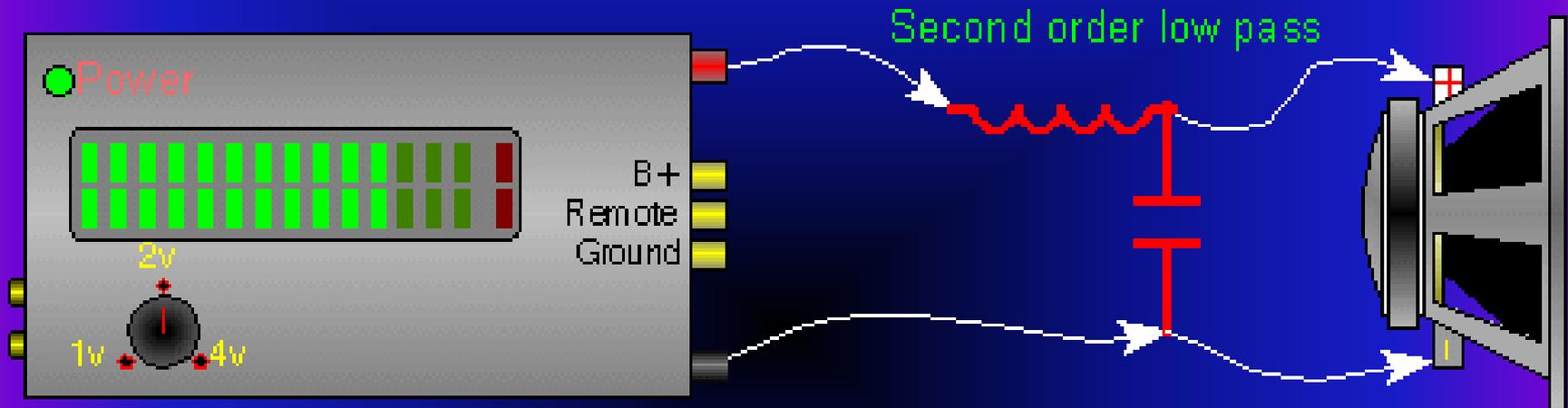
4^o orden – paso alto:



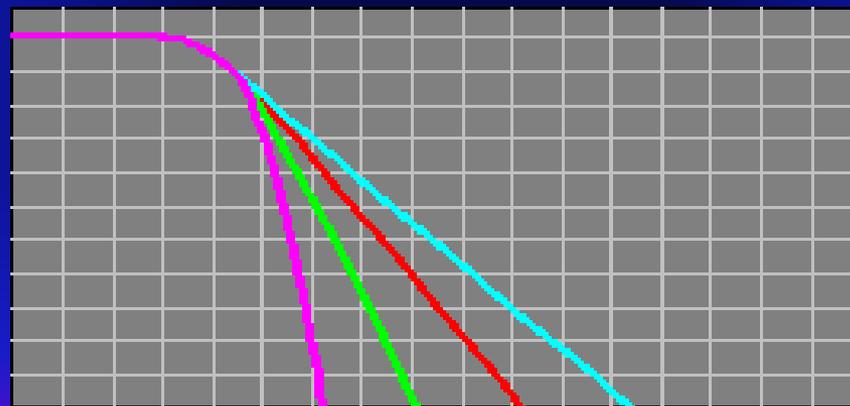
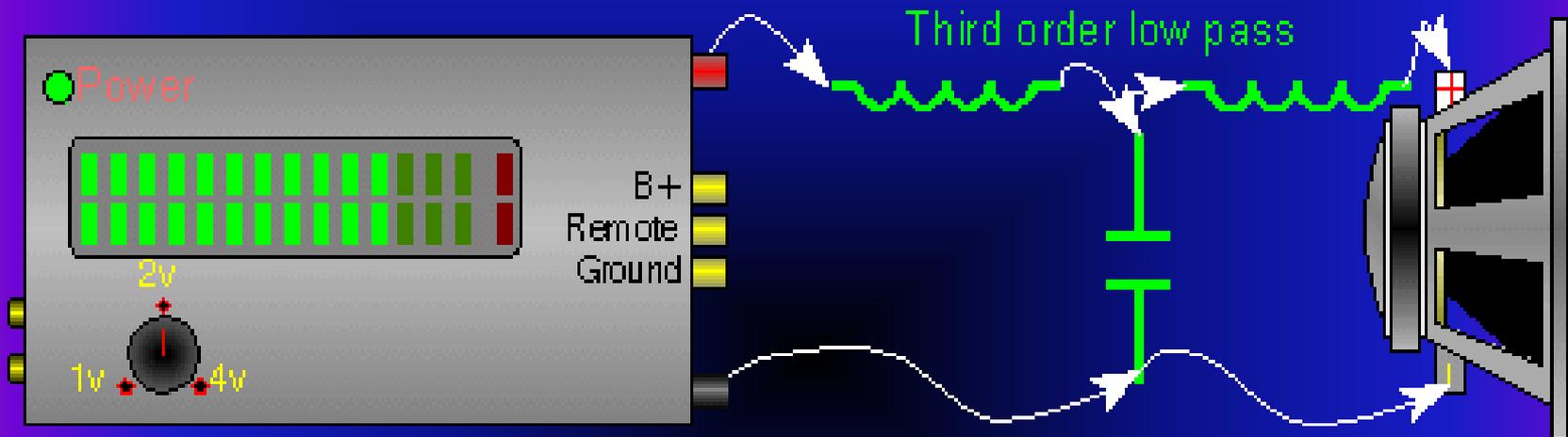
1º orden – passo baixo:



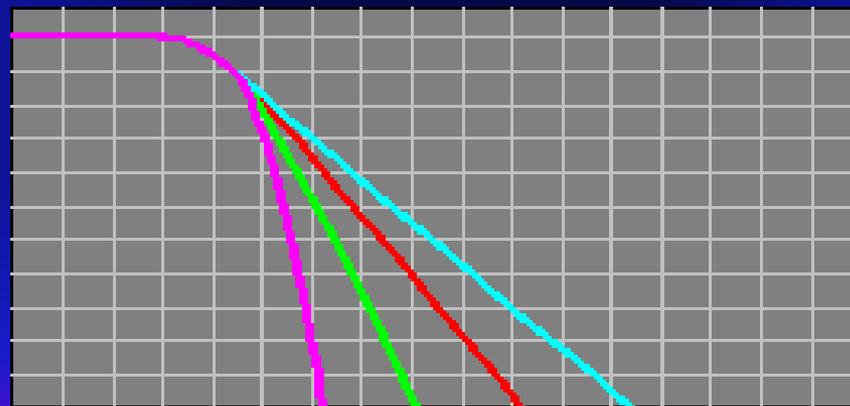
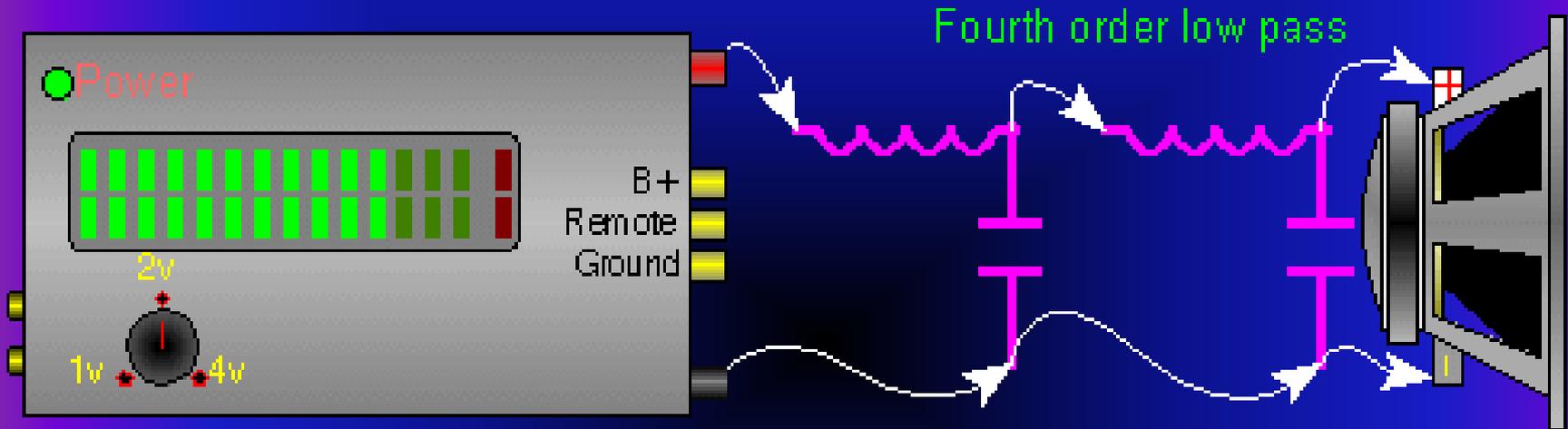
2º orden – passo baixo:



3^o orden – passo baixo:



4^o orden – passo baixo:



tipos de filtros:

- Según función de transferencia:

- Butterworth
- Bessel
- Chebyshev
- Cauer

- Según tecnología:

- Pasivos
- Activos
- Capacidades conmutadas
- Digitales

- Según tipo de implementación:

- VCVS
- Variables de estado
- Frecuencia eliminada

Características según os tipos:

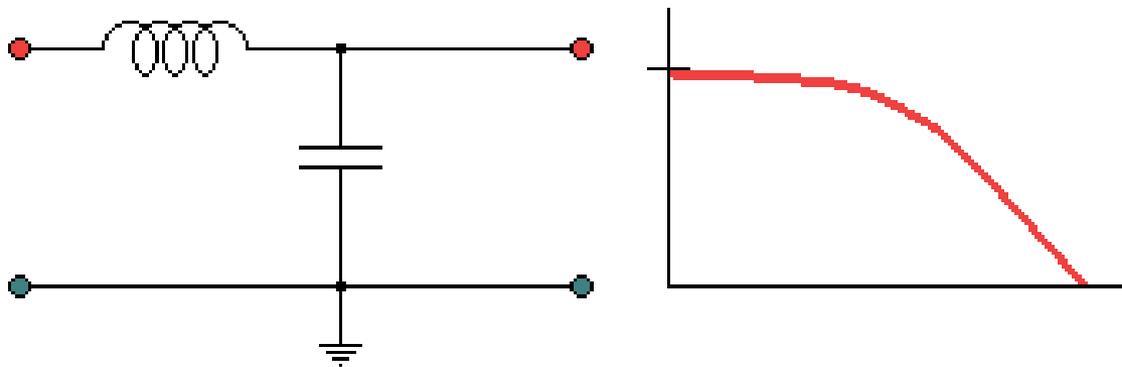
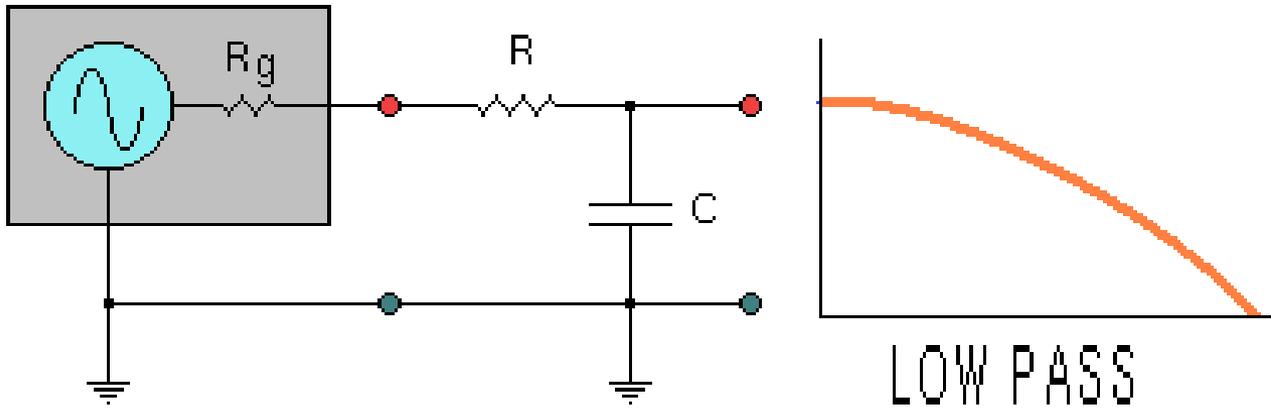
- No es posible realizar filtros ideales
 - ❑ Se han desarrollado aproximaciones matemáticas
 - ❑ Cada tipo de filtro es una aproximación que optimiza un aspecto parcial

- Filtro de Butterworth
 - ❑ **Ganancia lo más plana posible** en la banda de paso a expensas de un corte poco abrupto.
 - ❑ Pendiente de transición mediocre.
 - ❑ Respuesta transitoria satisfactoria.

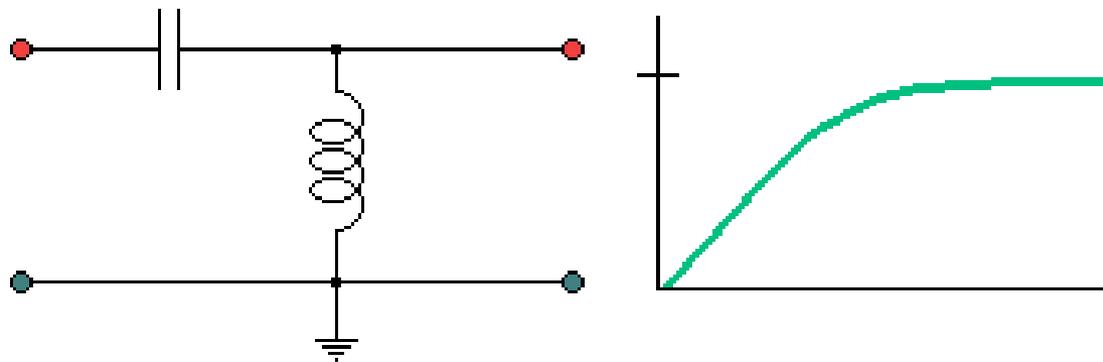
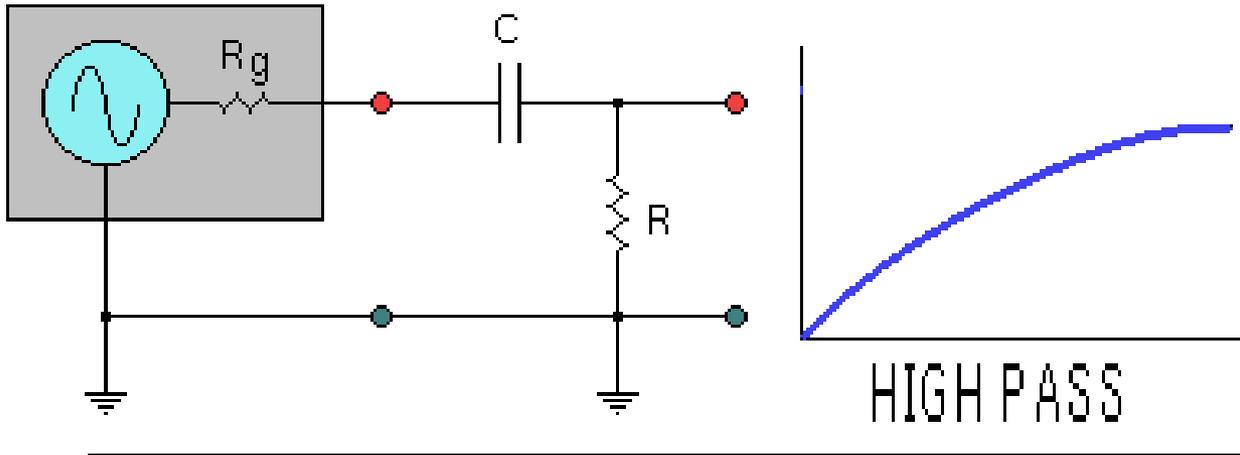
Características según os tipos:

- **Filtro de Chebyshev**
 - **Corte más abrupto** a expensas de rizado en la banda de paso.
 - Pendiente de transición más alta (cerca de fp)
 - Respuesta transitoria peor que Butterworth.
- **Filtro de Bessel**
 - **Mínima deformación de la señal:**
 - Desfase lineal con la frecuencia \Leftrightarrow tiempo de propagación constante.
 - Pendiente de transición peor que Butterworth.
- **Filtro de Cauer o elíptico**
 - **Corte muy abrupto** con rizado en la banda de paso y en la atenuada.
 - Respuesta transitoria peor que Chebyshev.
 - Adecuados para la eliminación de una frecuencia concreta.

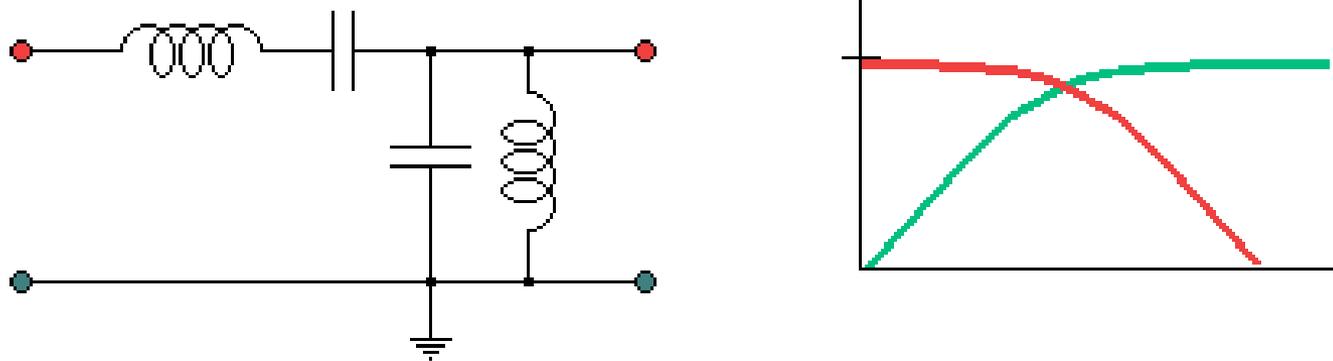
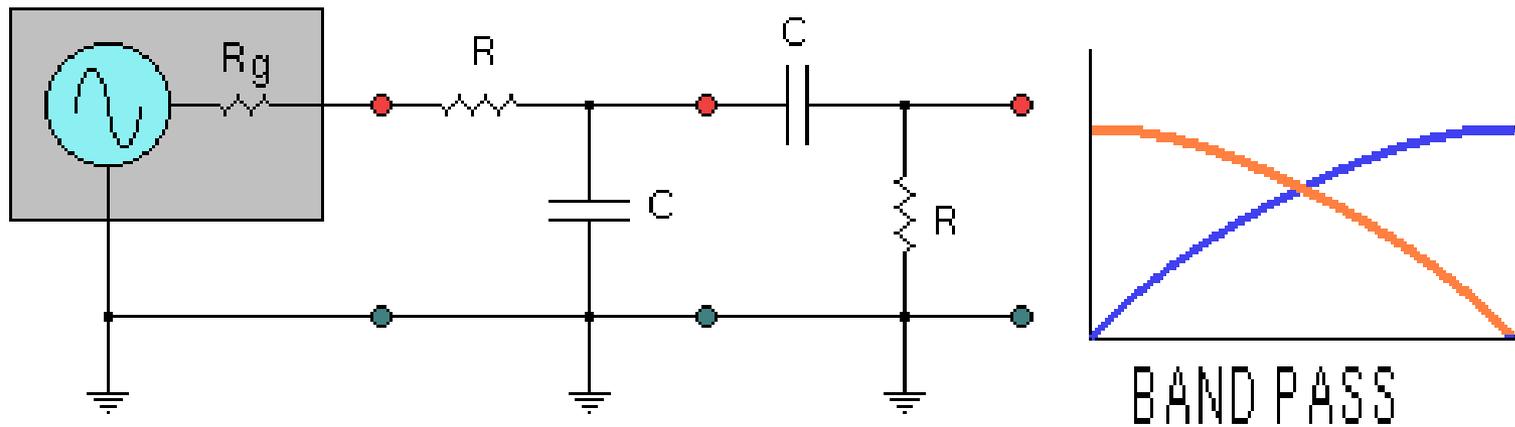
paso baixo R vs L:



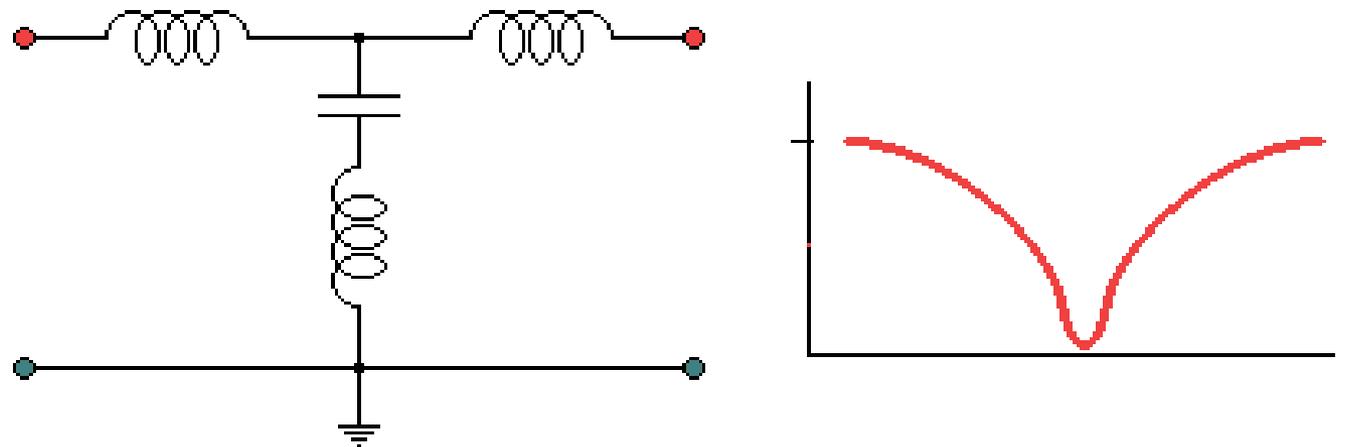
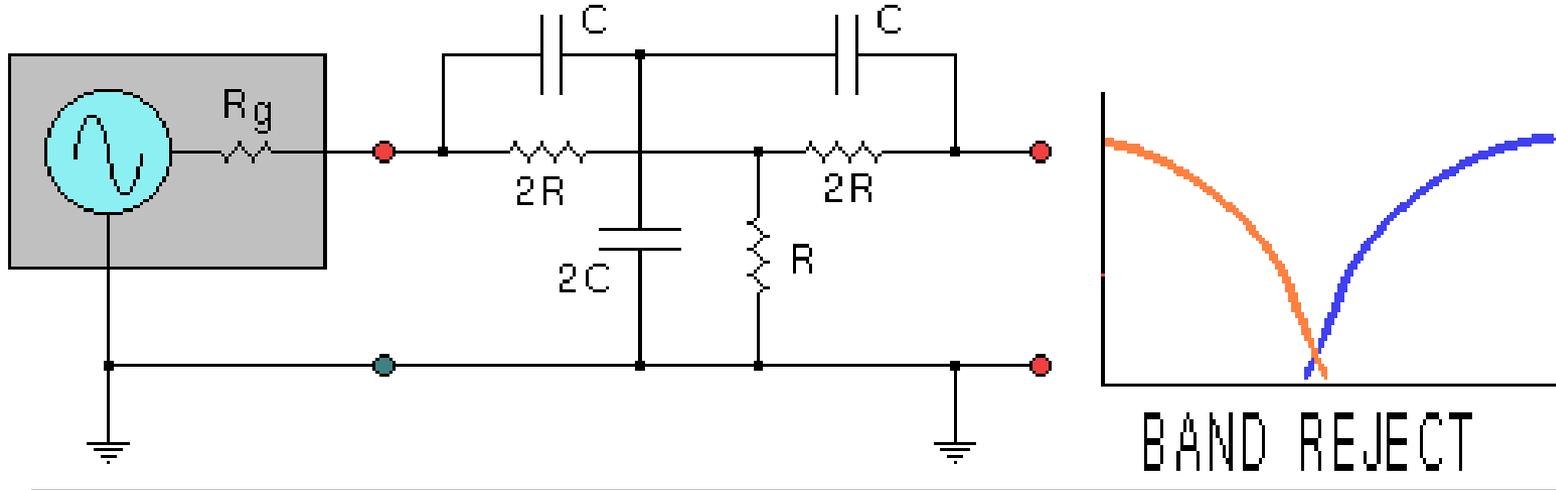
paso alto R vs L:



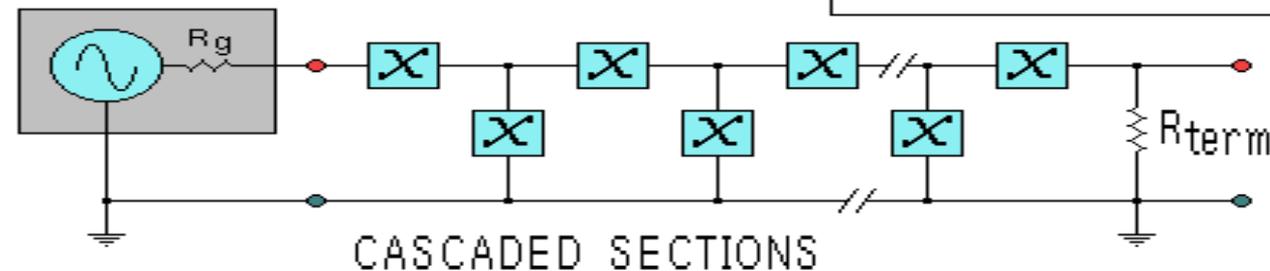
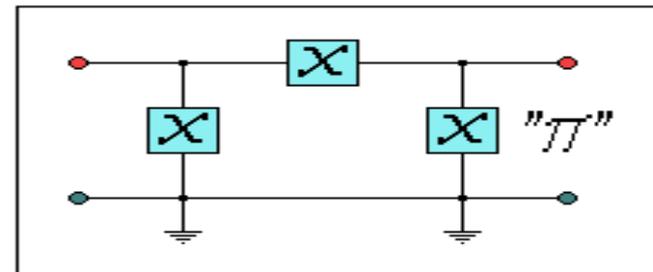
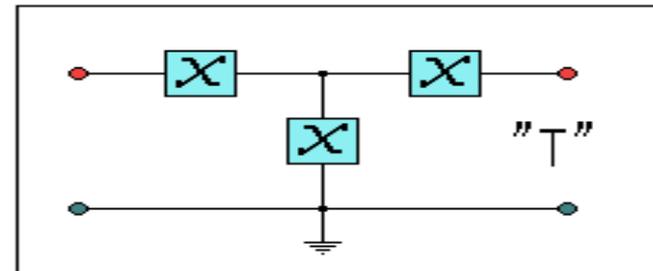
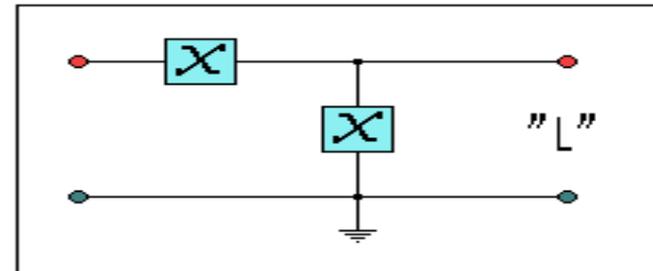
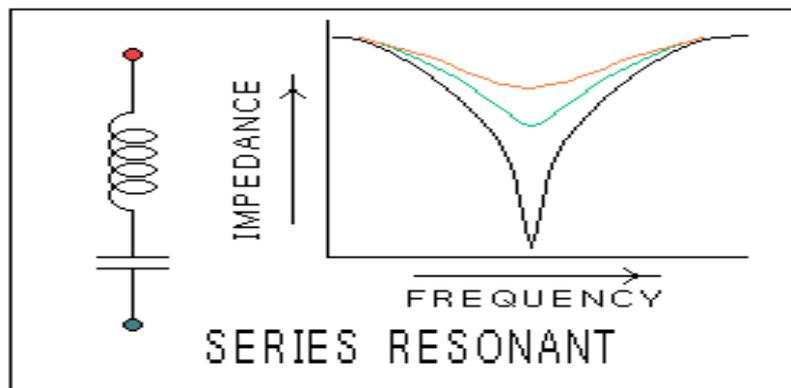
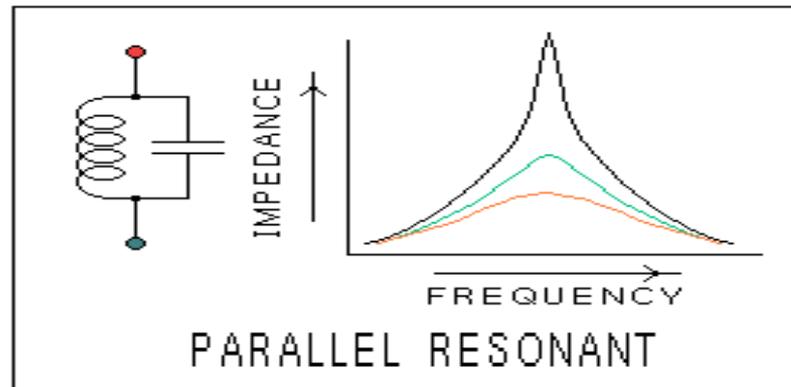
paso banda R vs L:



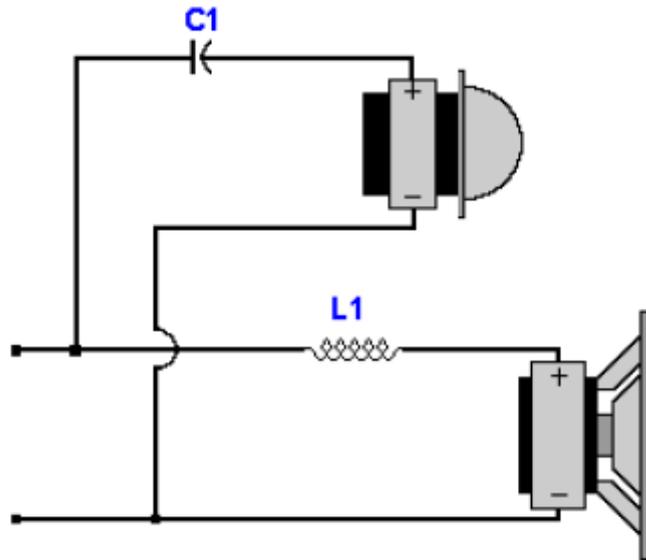
banda atenuada R vs L:



Filtros "L" "T" e "π":



CROSSOVERS DE 1° ORDEN

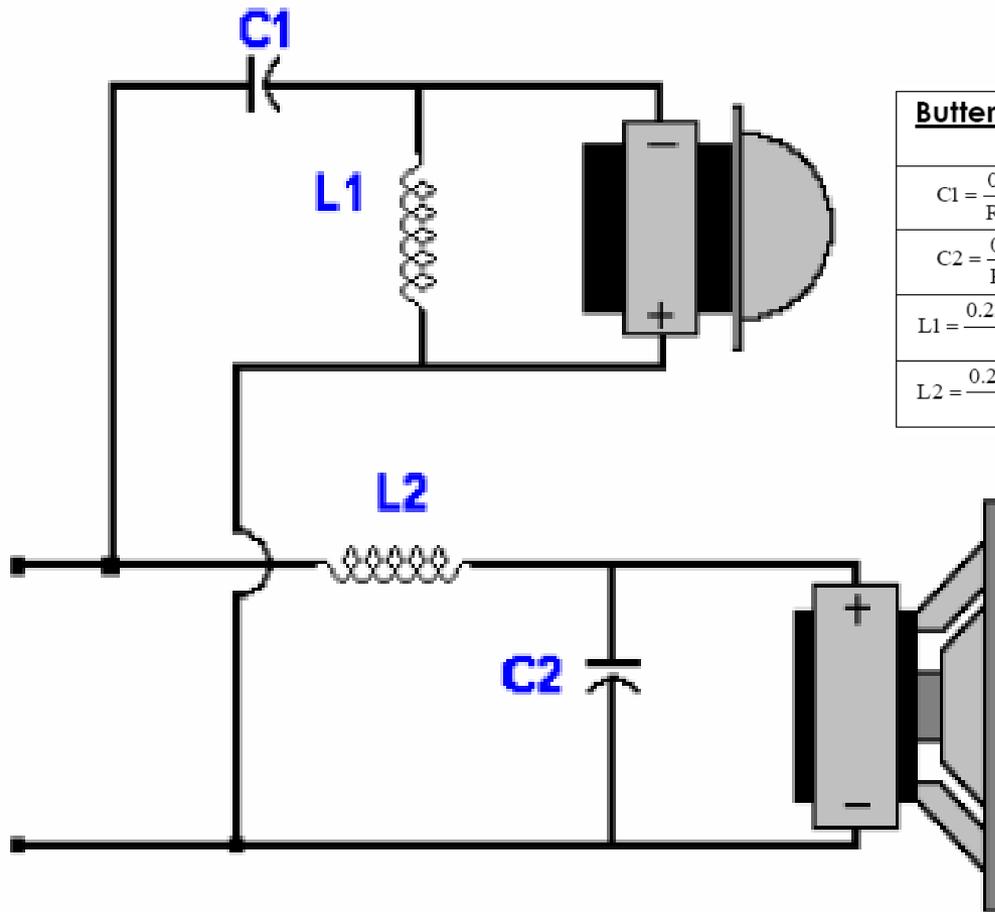


Butterworth

$$C1 = \frac{0.159}{R_H \cdot f_c}$$

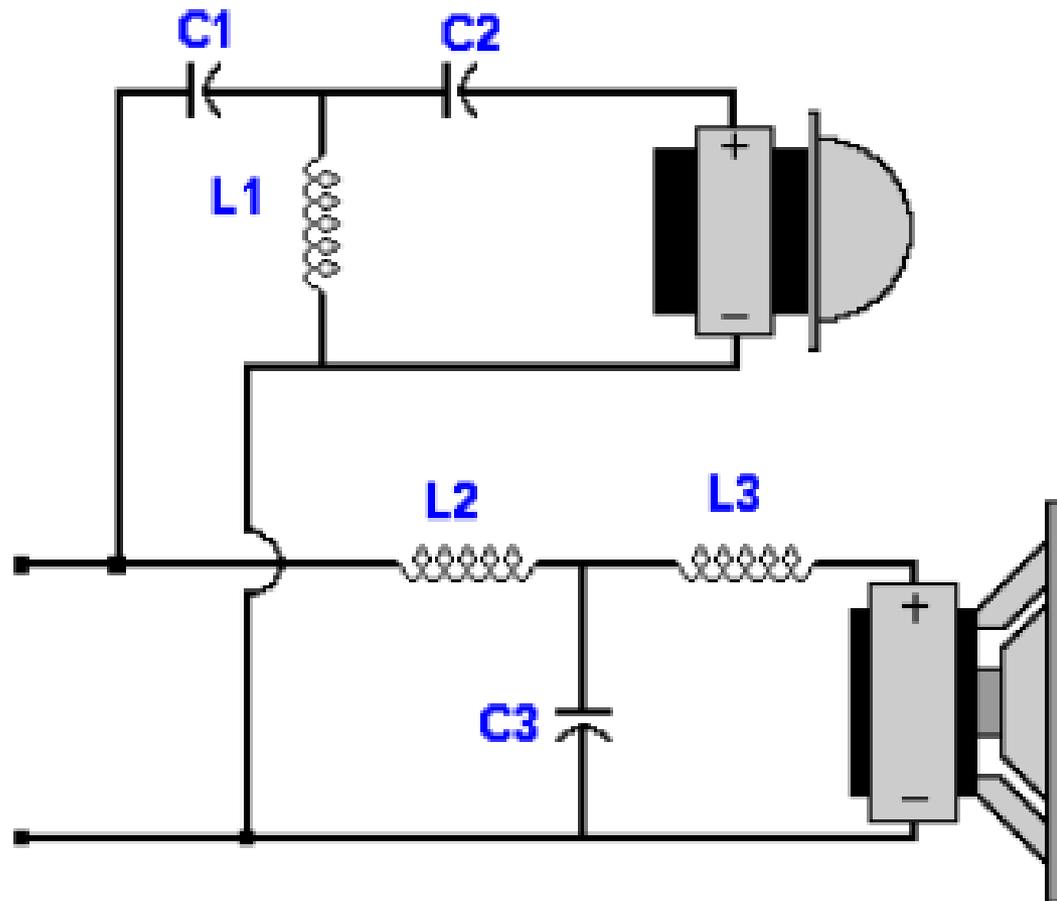
$$L1 = \frac{R_L}{6.28 \cdot f_c}$$

CROSSOVER DE 2º ORDEN



<u>Butterworth</u>	<u>Linkwitz-Riley</u>	<u>Bessel</u>	<u>Chebyshev</u>
$C1 = \frac{0.1125}{R_H \cdot f_c}$	$C1 = \frac{0.0796}{R_H \cdot f_c}$	$C1 = \frac{0.0912}{R_H \cdot f_c}$	$C1 = \frac{0.1592}{R_H \cdot f_c}$
$C2 = \frac{0.1125}{R_L \cdot f_c}$	$C2 = \frac{0.0796}{R_L \cdot f_c}$	$C2 = \frac{0.0912}{R_L \cdot f_c}$	$C2 = \frac{0.1592}{R_L \cdot f_c}$
$L1 = \frac{0.2251 \cdot R_H}{f_c}$	$L1 = \frac{0.3183 \cdot R_H}{f_c}$	$L1 = \frac{0.2756 \cdot R_H}{f_c}$	$L1 = \frac{0.1592 \cdot R_H}{f_c}$
$L2 = \frac{0.2251 \cdot R_L}{f_c}$	$L2 = \frac{0.3183 \cdot R_L}{f_c}$	$L2 = \frac{0.2756 \cdot R_L}{f_c}$	$L2 = \frac{0.1592 \cdot R_L}{f_c}$

CROSSOVER DE 3° ORDEN



Butterworth

$$C1 = \frac{0.1061}{R_H \cdot f_c}$$

$$C2 = \frac{0.3183}{R_H \cdot f_c}$$

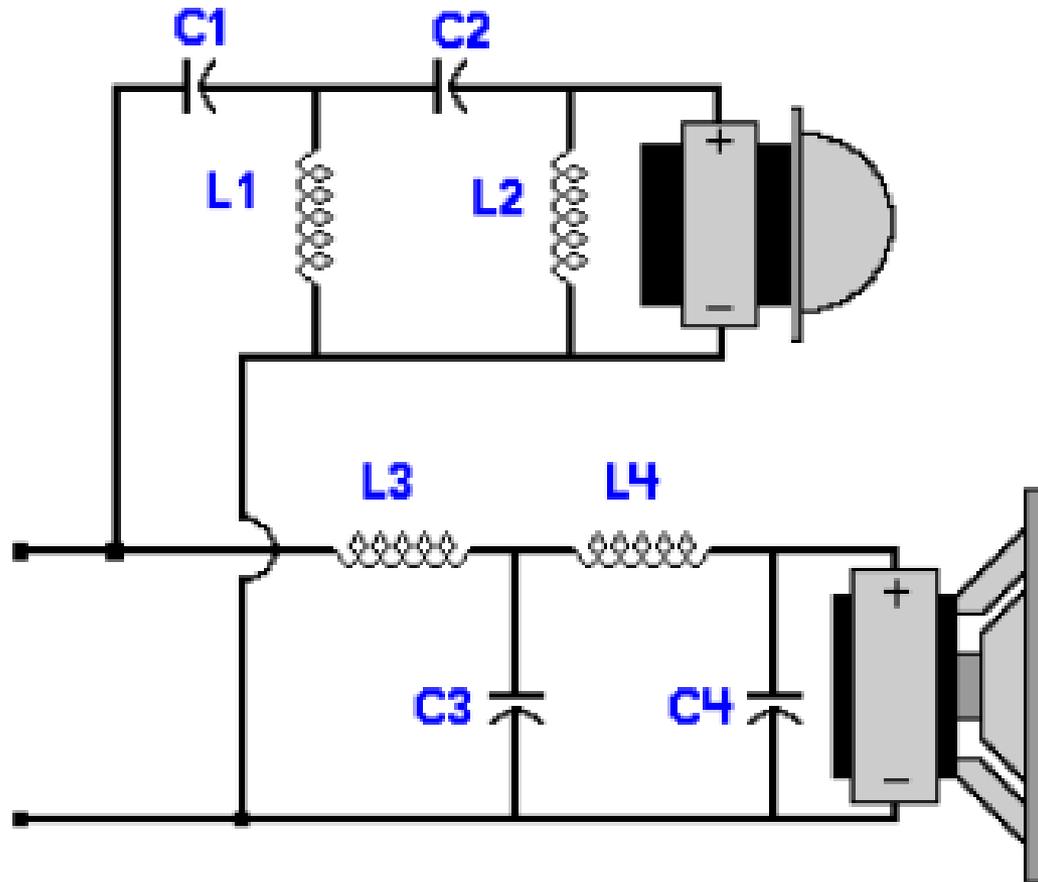
$$C3 = \frac{0.2122}{R_L \cdot f_c}$$

$$L1 = \frac{0.1194 \cdot R_H}{f_c}$$

$$L2 = \frac{0.2387 \cdot R_L}{f_c}$$

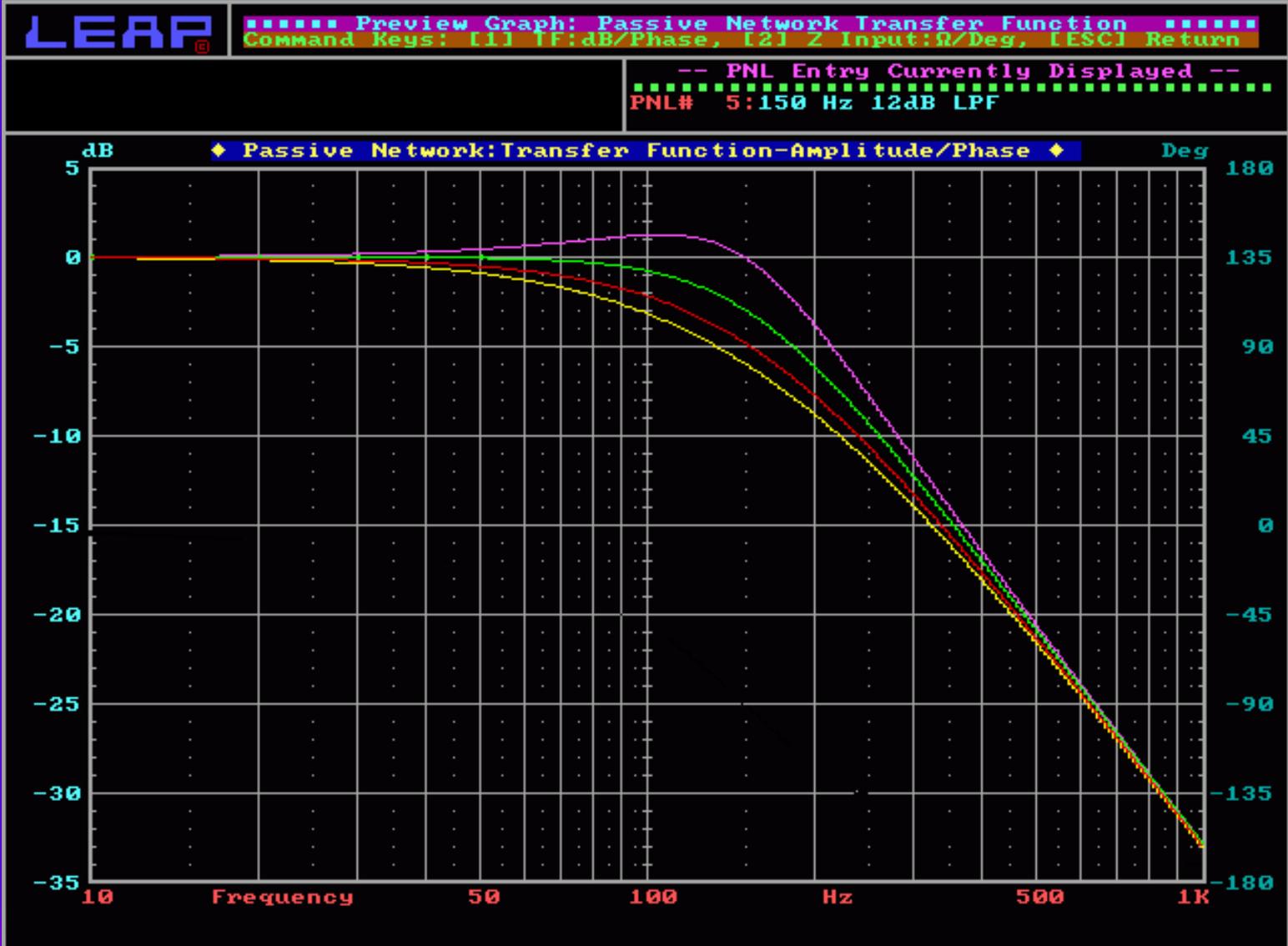
$$L3 = \frac{0.0796 \cdot R_L}{f_c}$$

CROSSOVER DE 4° ORDEN



<u>Butterworth</u>	<u>Linkwitz-Riley</u>	<u>Bessel</u>
$C1 = \frac{0.1040}{R_H \cdot f_c}$	$C1 = \frac{0.0844}{R_H \cdot f_c}$	$C1 = \frac{0.0702}{R_H \cdot f_c}$
$C2 = \frac{0.1470}{R_H \cdot f_c}$	$C2 = \frac{0.1688}{R_H \cdot f_c}$	$C2 = \frac{0.0719}{R_H \cdot f_c}$
$C3 = \frac{0.2509}{R_L \cdot f_c}$	$C3 = \frac{0.2533}{R_L \cdot f_c}$	$C3 = \frac{0.2336}{R_L \cdot f_c}$
$C4 = \frac{0.0609}{R_L \cdot f_c}$	$C4 = \frac{0.0563}{R_L \cdot f_c}$	$C4 = \frac{0.0504}{R_L \cdot f_c}$
$L1 = \frac{0.1009 \cdot R_H}{f_c}$	$L1 = \frac{0.1000 \cdot R_H}{f_c}$	$L1 = \frac{0.0862 \cdot R_H}{f_c}$
$L2 = \frac{0.4159 \cdot R_H}{f_c}$	$L2 = \frac{0.4501 \cdot R_H}{f_c}$	$L2 = \frac{0.4983 \cdot R_H}{f_c}$
$L3 = \frac{0.2437 \cdot R_L}{f_c}$	$L3 = \frac{0.3000 \cdot R_L}{f_c}$	$L3 = \frac{0.3583 \cdot R_L}{f_c}$
$L4 = \frac{0.1723 \cdot R_L}{f_c}$	$L4 = \frac{0.1500 \cdot R_L}{f_c}$	$L4 = \frac{0.1463 \cdot R_L}{f_c}$

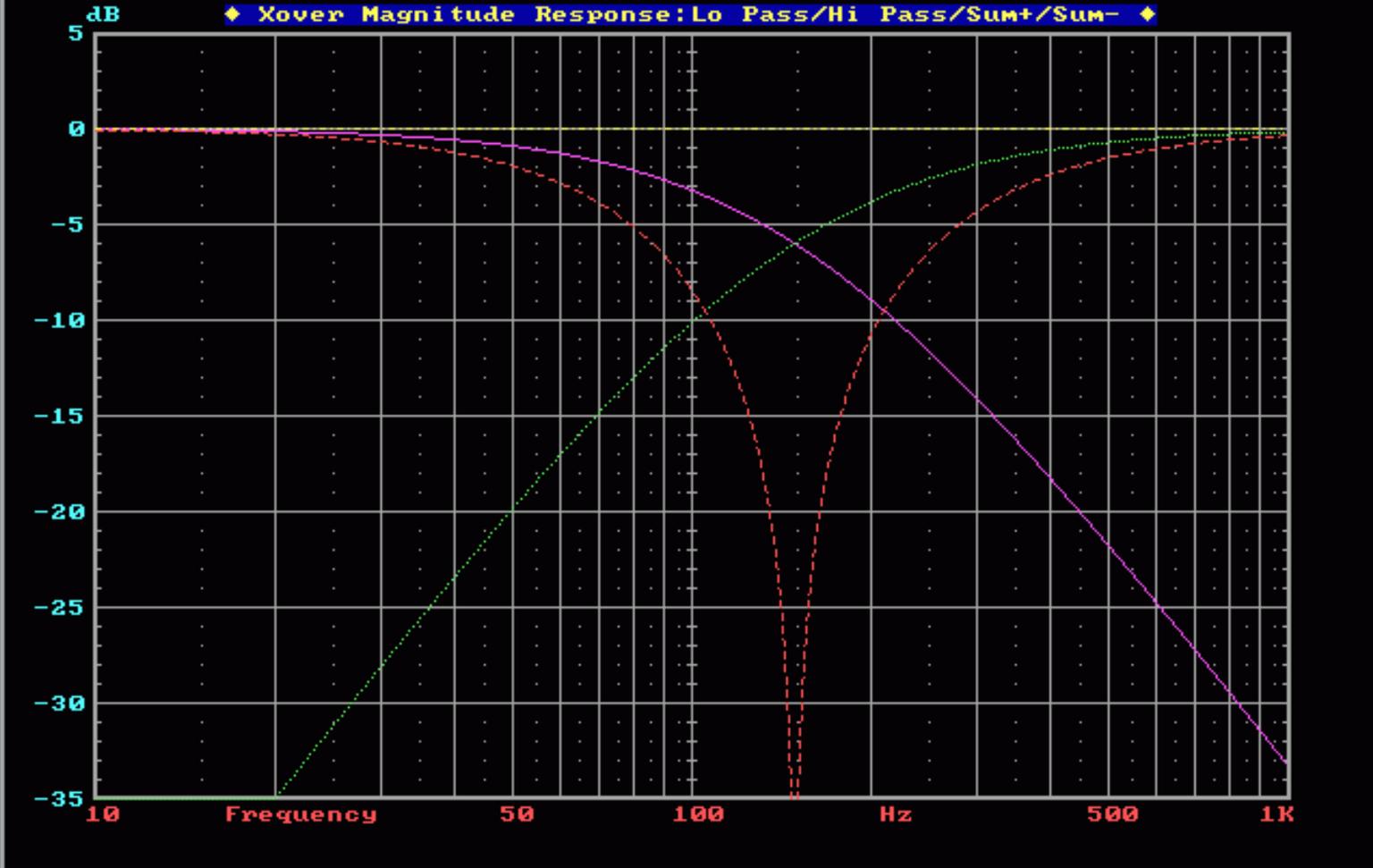
Chebyshev: $Q = 1$
Butterworth: $Q = .707$
Bessel: $Q = .58$
Linkwitz-Riley: $Q = .49$



LEAP

Preview Graph: Crossover Designer Response Curves
Command Keys: [1]Mag-dB, [2]Phase-θ, [3]GrpDly-T, [ESC] Return

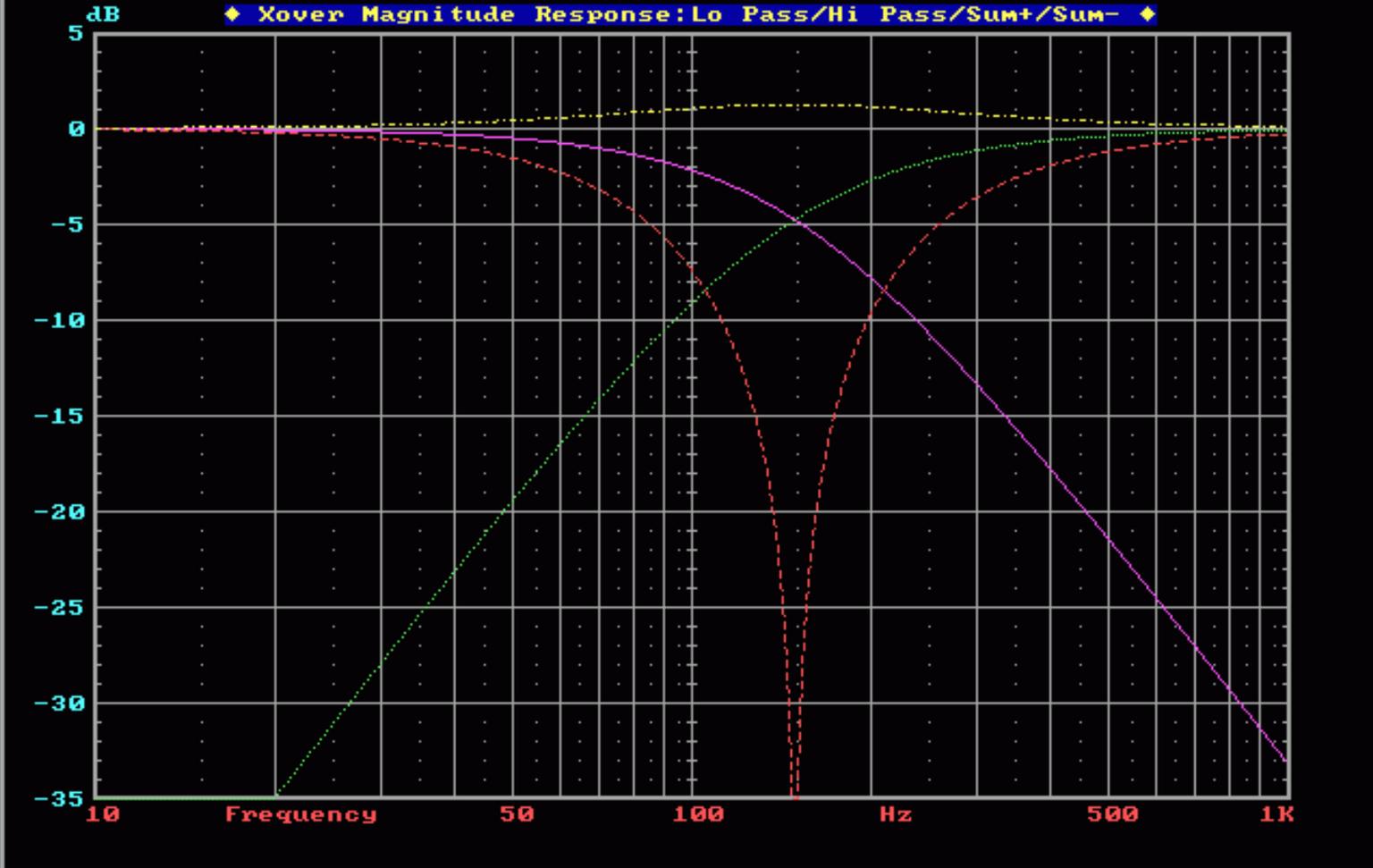
— Lo Pass Section Only: Magnitude	Lo Filtr: 2nd-LnkRly	Hi Filtr: 2nd-LnkRly
..... Hi Pass Section Only: Magnitude	Freq = 150.00 Hz	Freq = 150.00 Hz
- - - Sum= Lo+Hi (InPhase): Magnitude	Level = 0.00 dB	Level = 0.00 dB
..... Sum= Lo-Hi (Reverse): Magnitude	Delay = 0.00 uS	Delay = 0.00 uS



LEAP

Preview Graph: Crossover Designer Response Curves
Command Keys: [1]Mag-dB, [2]Phase-θ, [3]GrpDly-T, [ESC] Return

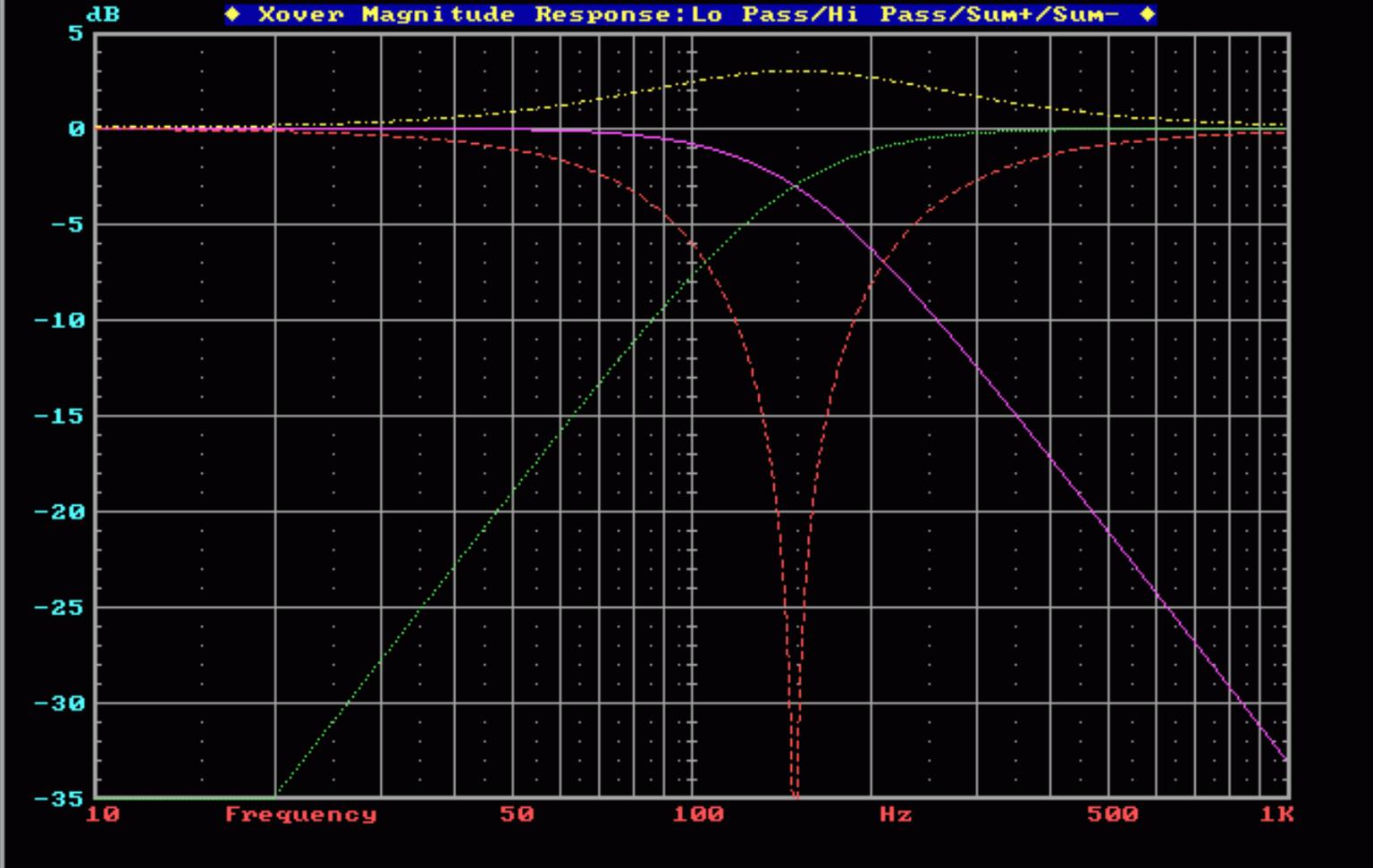
— Lo Pass Section Only: Magnitude	Lo Filtr: 2nd-Bessel	Hi Filtr: 2nd-Bessel
..... Hi Pass Section Only: Magnitude	Freq = 150.00 Hz	Freq = 150.00 Hz
- - - Sum= Lo+Hi (InPhase): Magnitude	Level = 0.00 dB	Level = 0.00 dB
..... Sum= Lo-Hi (Reverse): Magnitude	Delay = 0.00 uS	Delay = 0.00 uS



LEAP

Preview Graph: Crossover Designer Response Curves
Command Keys: [1]Mag-dB, [2]Phase-θ, [3]GrpDly-T, [ESC] Return

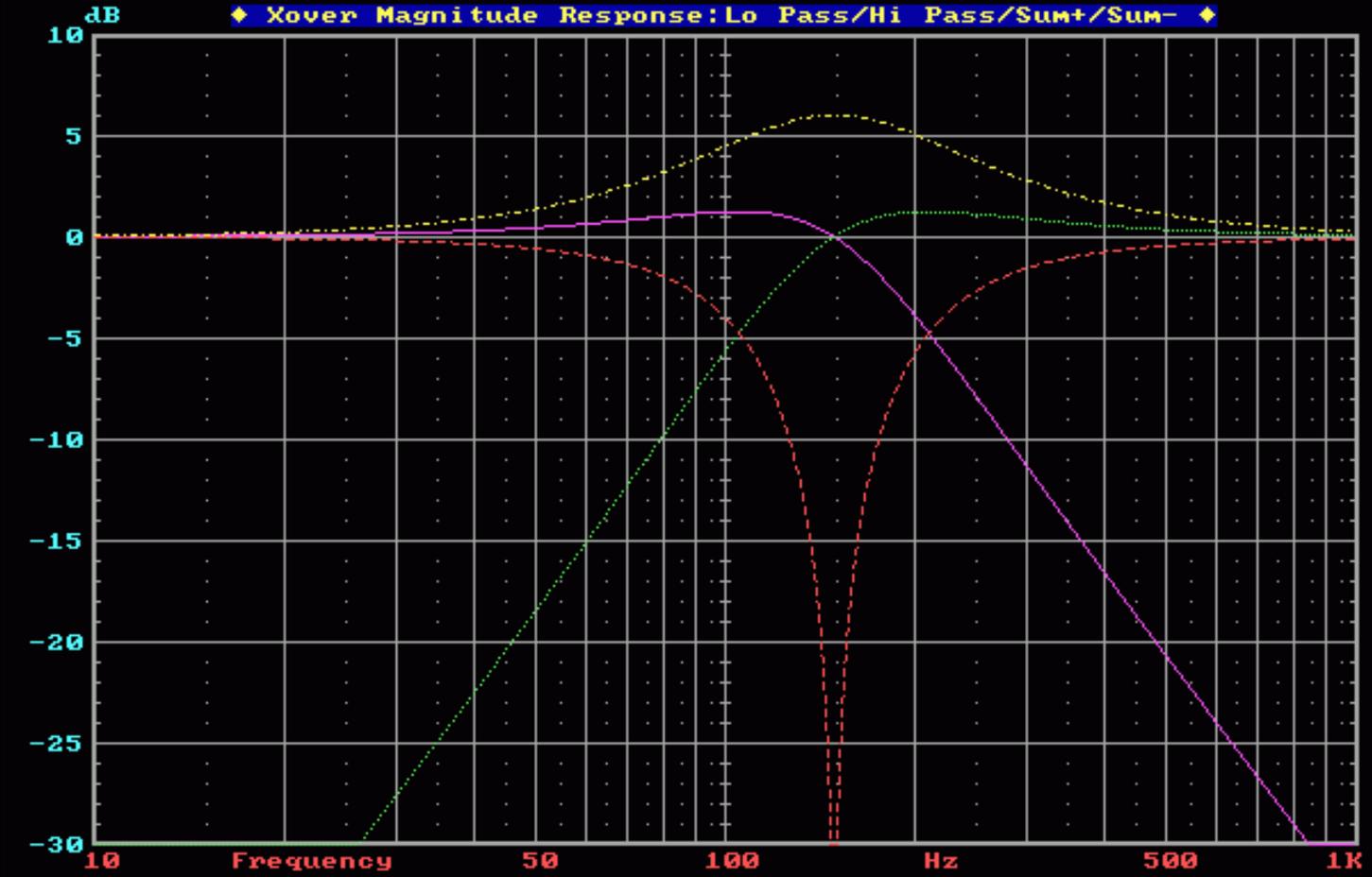
— Lo Pass Section Only: Magnitude	Lo Filtr: 2nd-ButWrt	Hi Filtr: 2nd-ButWrt
..... Hi Pass Section Only: Magnitude	Freq = 150.00 Hz	Freq = 150.00 Hz
- - - Sum= Lo+Hi (InPhase): Magnitude	Level = 0.00 dB	Level = 0.00 dB
..... Sum= Lo-Hi (Reverse): Magnitude	Delay = 0.00 uS	Delay = 0.00 uS



LEAP®

Preview Graph: Crossover Designer Response Curves
Command Keys: [1]Mag-dB, [2]Phase-θ, [3]GrpDly-T, [ESC] Return

— Lo Pass Section Only: Magnitude	Lo Filtr: 2nd-Chebvv	Hi Filtr: 2nd-Chebvv
..... Hi Pass Section Only: Magnitude	Freq = 150.00 Hz	Freq = 150.00 Hz
- - - Sum= Lo+Hi (InPhase): Magnitude	Level = 0.00 dB	Level = 0.00 dB
..... Sum= Lo-Hi (Reverse): Magnitude	Delay = 0.00 uS	Delay = 0.00 uS



Tipo 2 vías

Frecuencia de cruce 4 kHz

Potencia admisible 150 w RMS

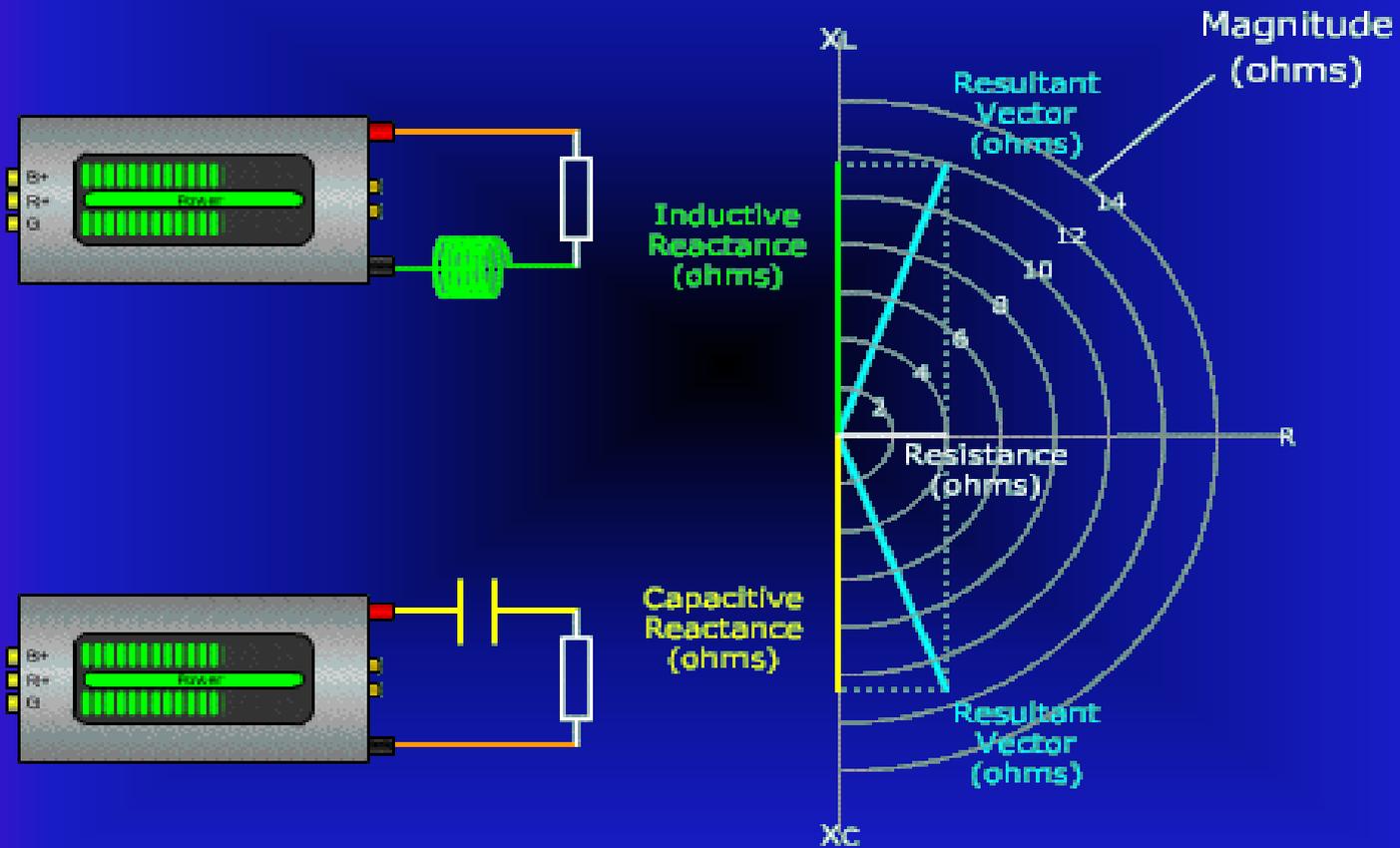
Impedancia de carga 4 ohmios.

Pendiente de atenuación 12 dB/oct.

Atenuación de agudos 0, -3, -6 dB



desfase:



LEAP

Preview Graph: Passive Network Input Impedance
Command Keys: [F1] F: dB/Phase, [F2] Z Input: Ω /Deg, [ESC] Return

— Impedance Magnitude
..... Phase Response

-- PNL Entry Currently Displayed --
PNL# 8:1000Hz High Pass

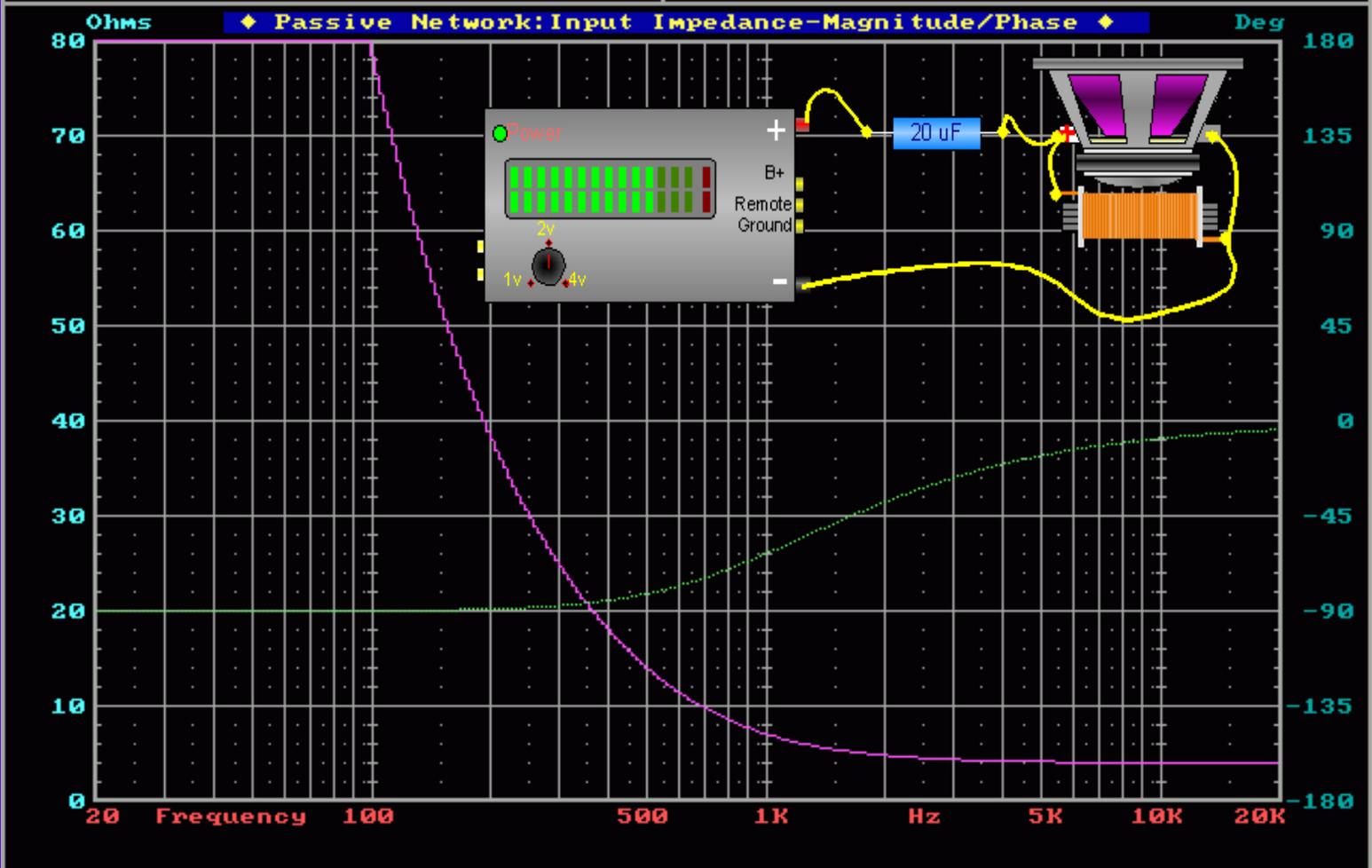


LEAP

Preview Graph: Passive Network Input Impedance
Command Keys: [1] F: dB/Phase, [2] Z Input: Ω /Deg, [ESC] Return

— Impedance Magnitude
..... Phase Response

-- PNL Entry Currently Displayed --
PNL# 17: 1000hz L-R High Pass



curva de potencia:

